

Towards Graph Foundation Models

WWW 2024 Tutorial

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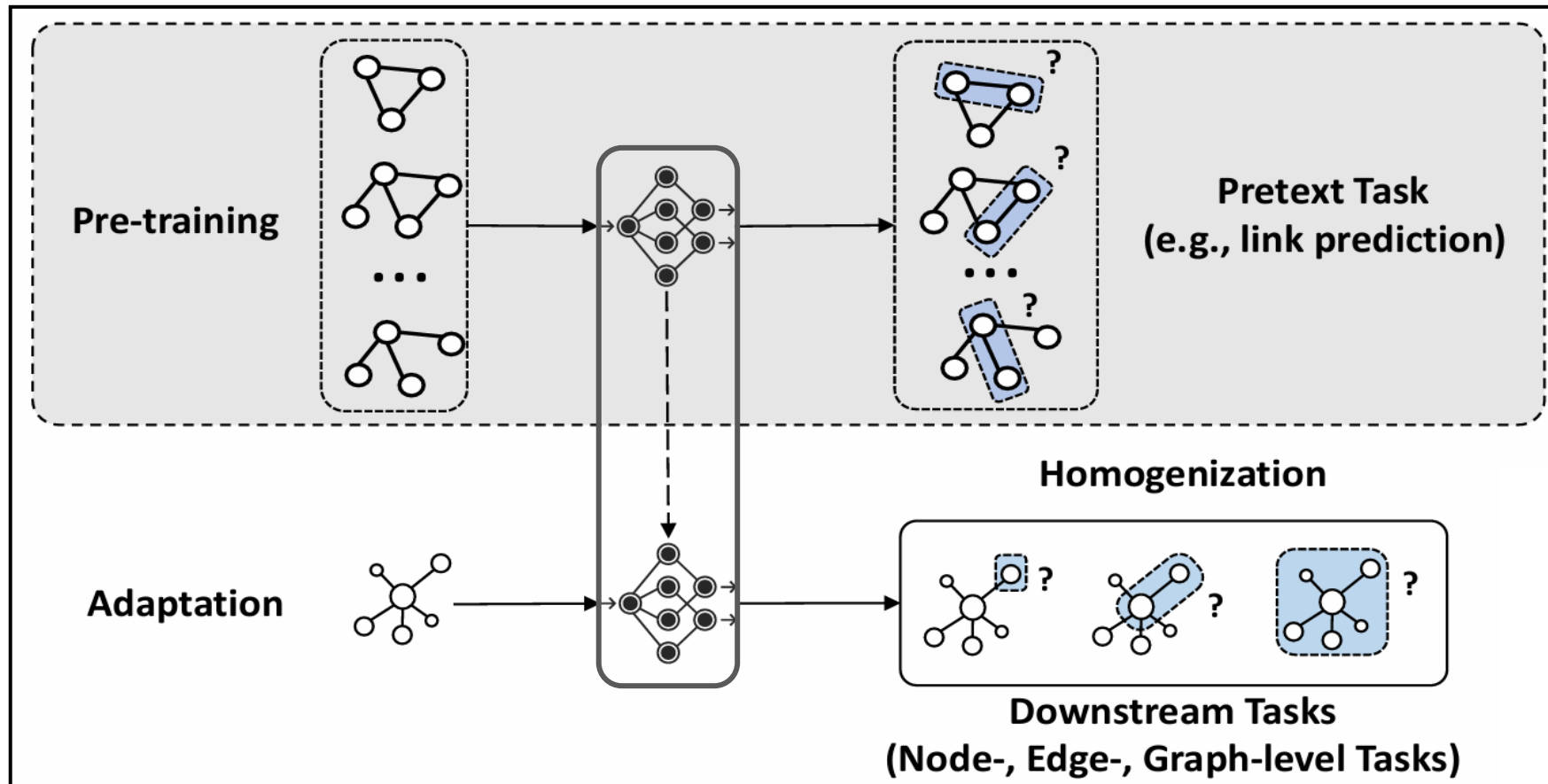
Cheng Yang

yangcheng@bupt.edu.cn

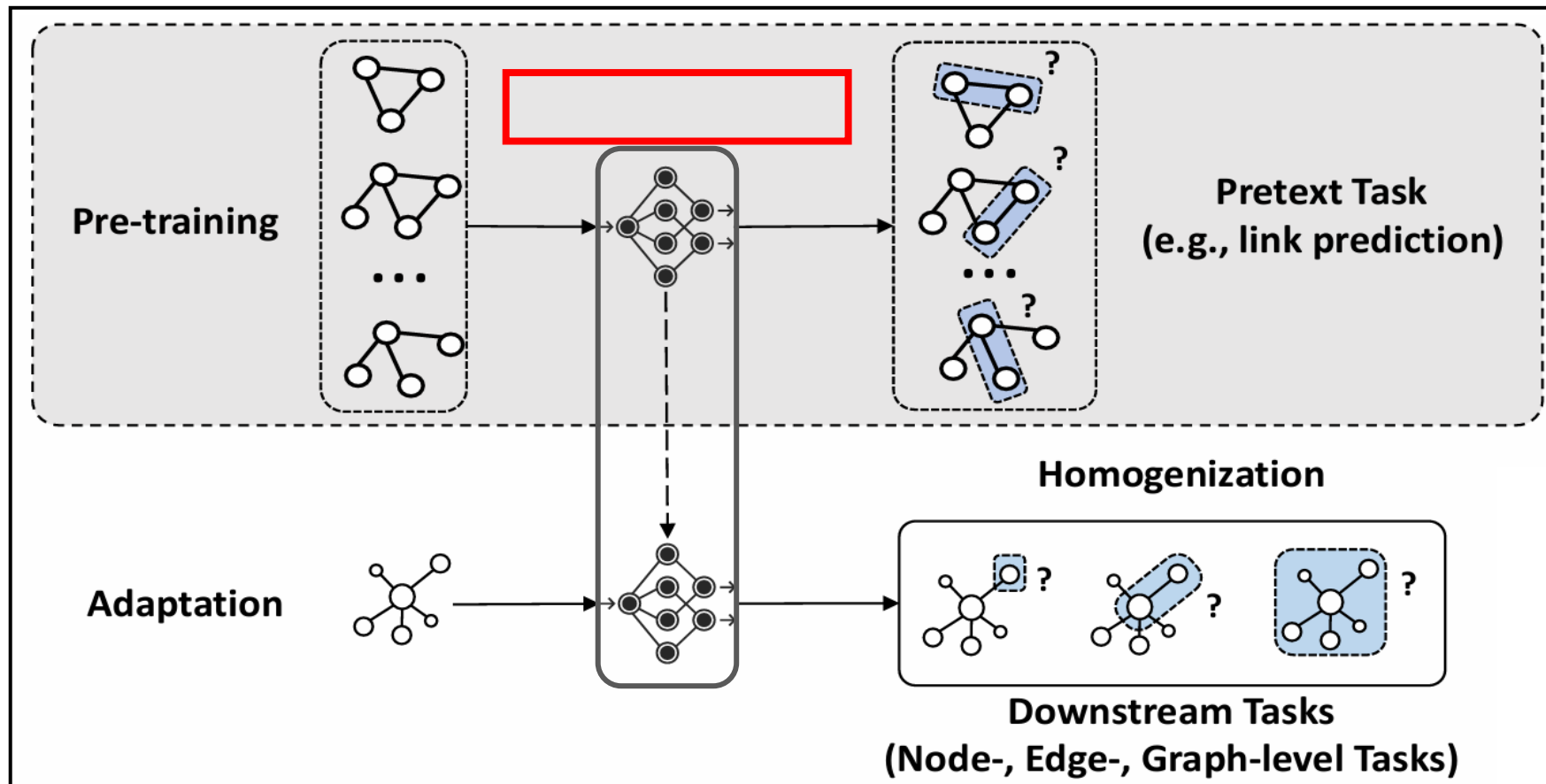
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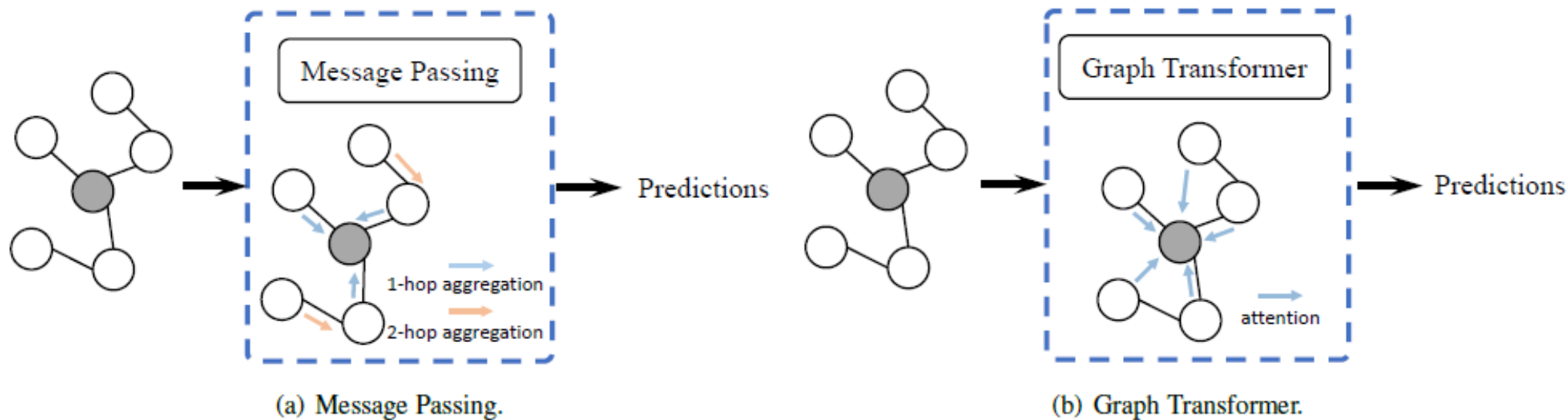
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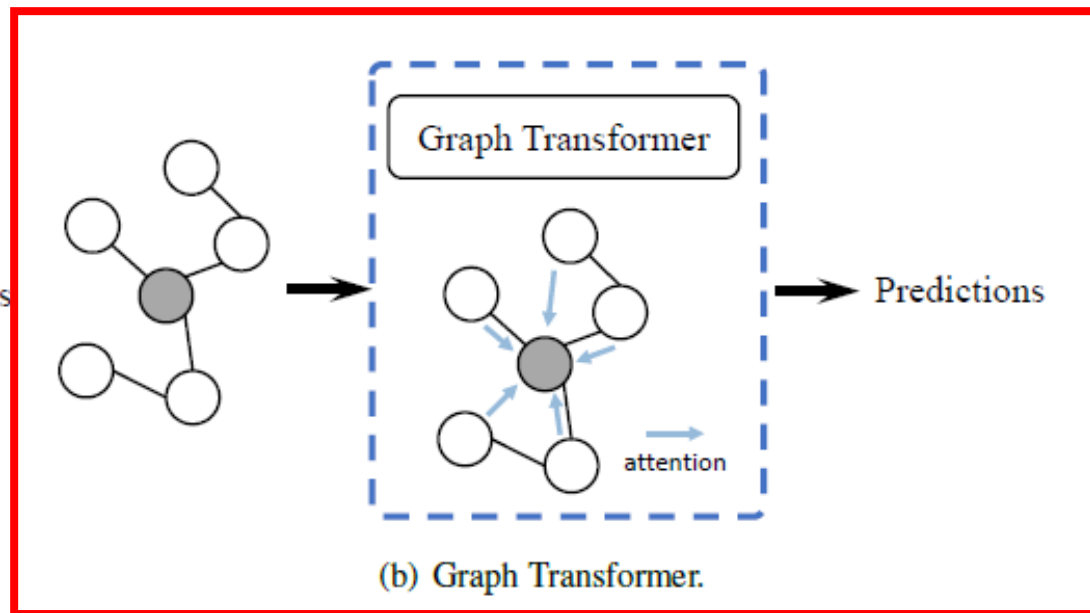
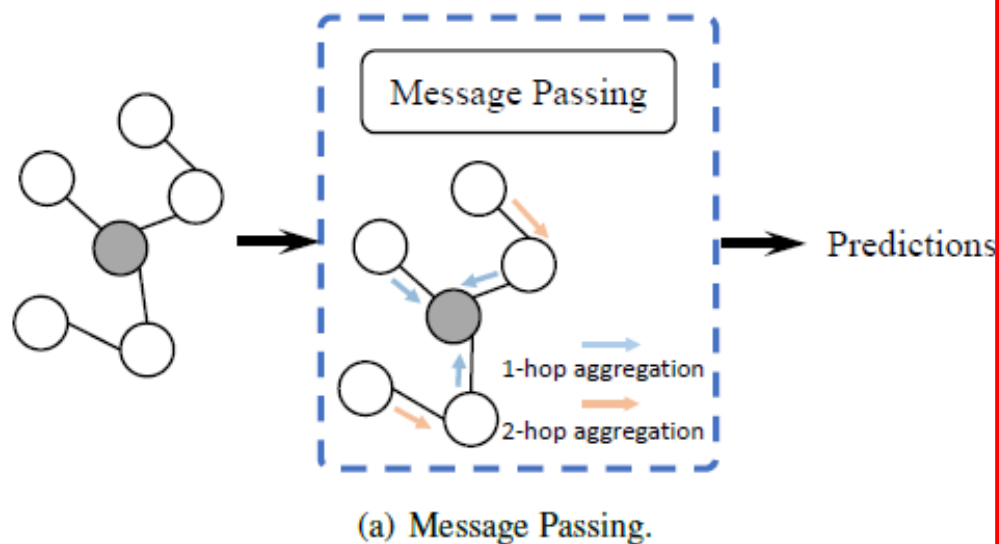
$(\mathcal{G}_k, \mathcal{G}_k, \dots, \mathcal{G}_k)$: L \mathcal{G}_k \mathcal{G}_k \mathcal{G}_k : \mathcal{G}_k



- $\begin{matrix} & ck & & ck & & ck \\ ck & ck & & & & ck \\ & ck & & ck & & \end{matrix}$
- $\begin{matrix} & & & ck & & ck & ck & ck & & ck & ck \\ & & & & & & & & & ck & ck \\ ck & & ck & ck & ck & ck & ck & ck & ck & & ck \end{matrix}$



- $\begin{matrix} & c_k & & c_k & & c_k \\ c_k & c_k & & & & c_k & & c_k & c_k & & c_k & c_k & & c_k & c_k \\ & c_k & & & & c_k & & & & & c_k & c_k & & & c_k & c_k \end{matrix}$
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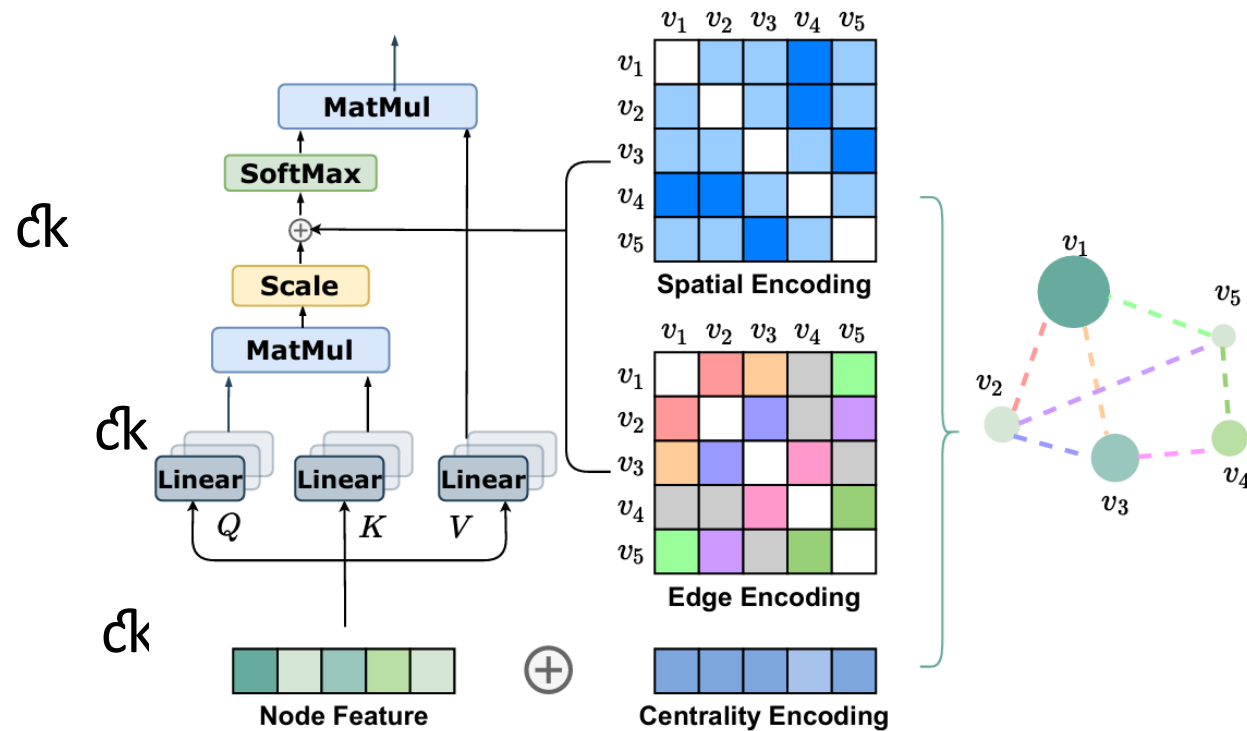
- \vdots
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Whether Transformer architecture is suitable to model graphs and how to make it work in graph representation learning?

$\begin{matrix} \text{ck} & & \text{ck} & \text{P} & \text{ck} & \text{ck} & \text{P} & & \text{ck} & & \text{ck} & \text{B} & \text{ck} & \text{V} & & \text{P} & \text{ck} & & \text{ck} & \text{V} \\ \text{B} & & \text{ck} & \text{ck} & \text{ck} & & & & \text{ck} & \text{ckck} & & \text{ck} & \text{L} & \text{ck} & \text{P} & & & & & \end{matrix}$

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P

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$$h_i^{(0)} = x_i + z_{\text{deg}^-(v_i)}^- + z_{\text{deg}^+(v_i)}^+$$

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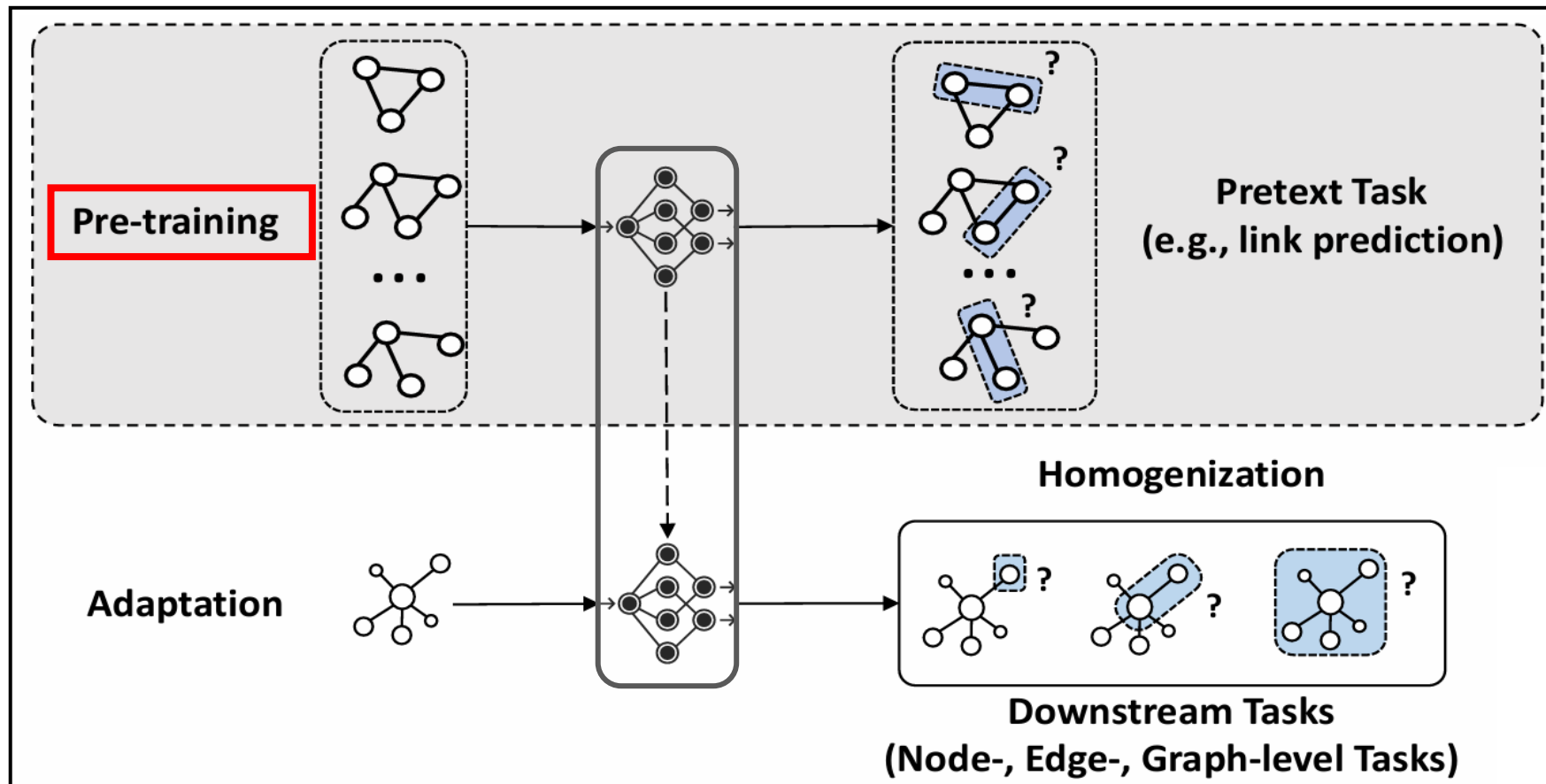
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$$A_{ij} = \frac{(h_i W_Q)(h_j W_K)^T}{\sqrt{d}} + b_{\phi(v_i, v_j)} + c_{ij}, \text{ where } c_{ij} = \frac{1}{N} \sum_{n=1}^N x_{e_n} (w_n^E)^T$$

$(\mathcal{G}_k, \mathcal{G}_k)$: L \mathcal{G}_k \mathcal{G}_k \mathcal{G}_k : \mathcal{G}_k



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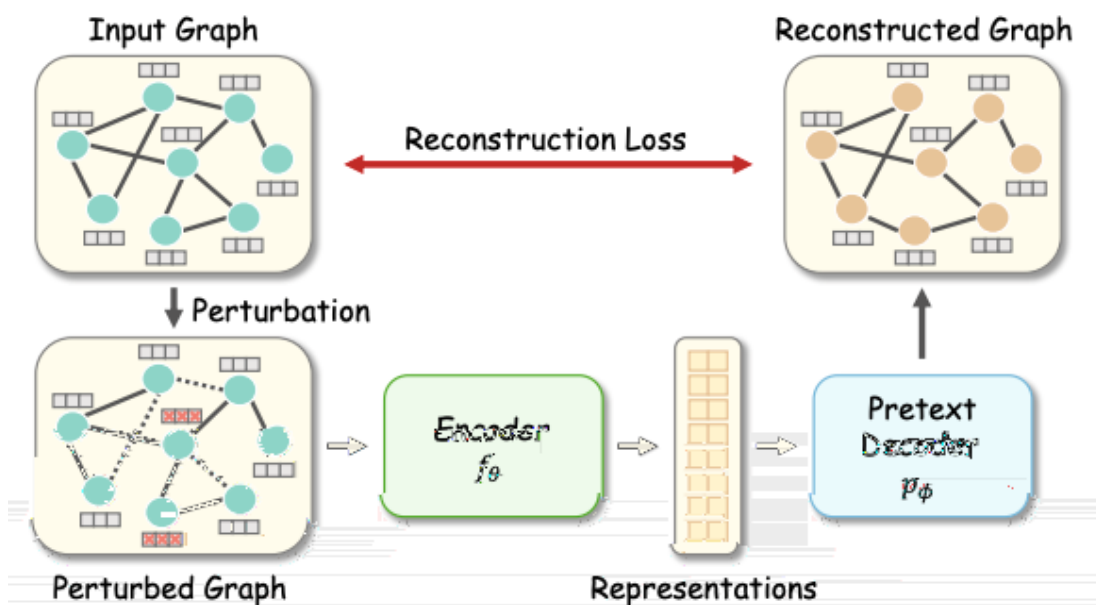
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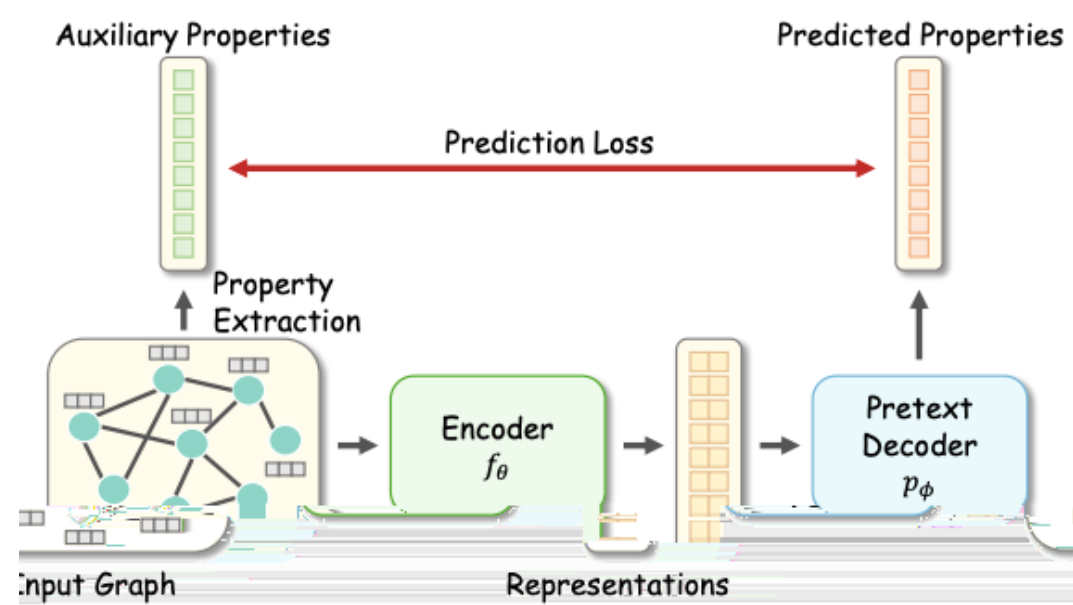
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graph reconstruction



property prediction

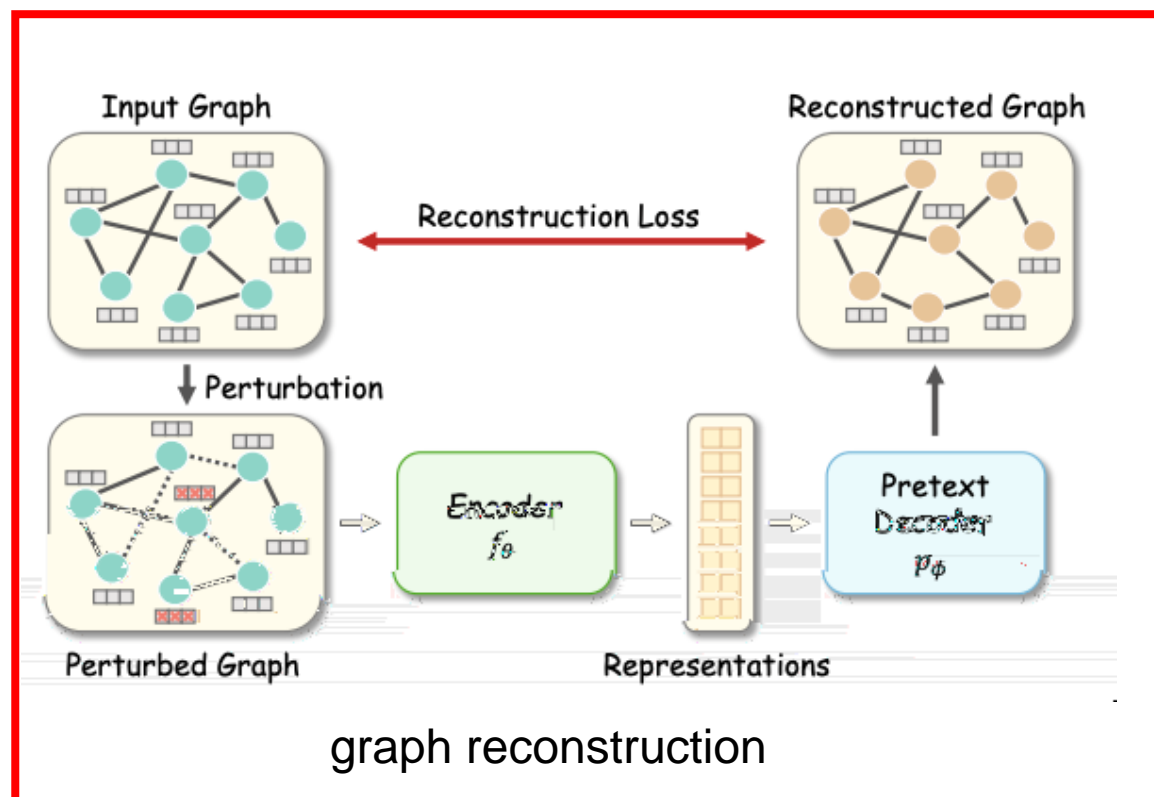
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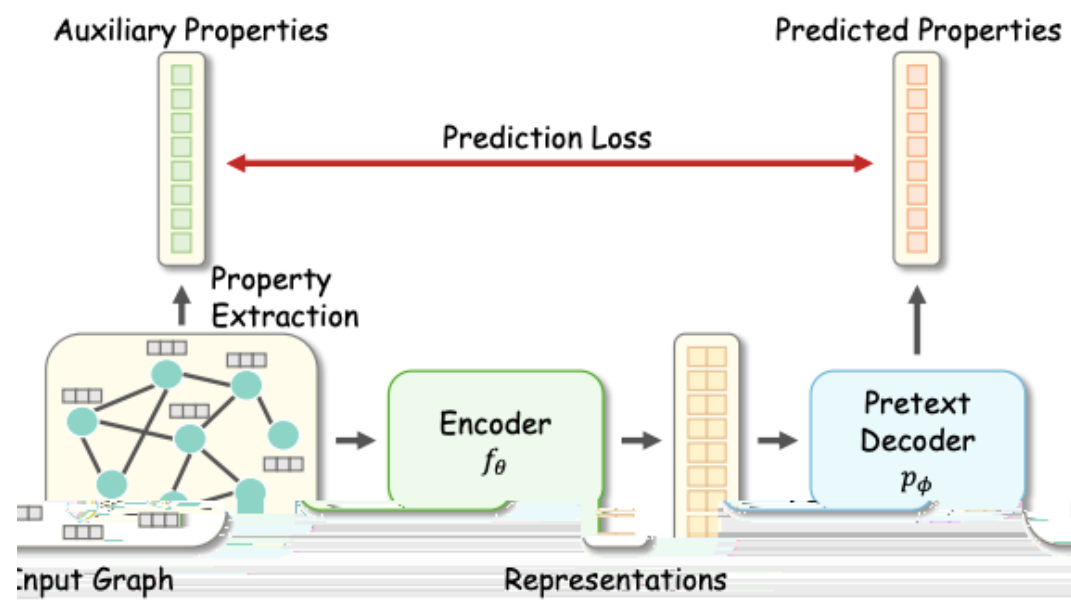
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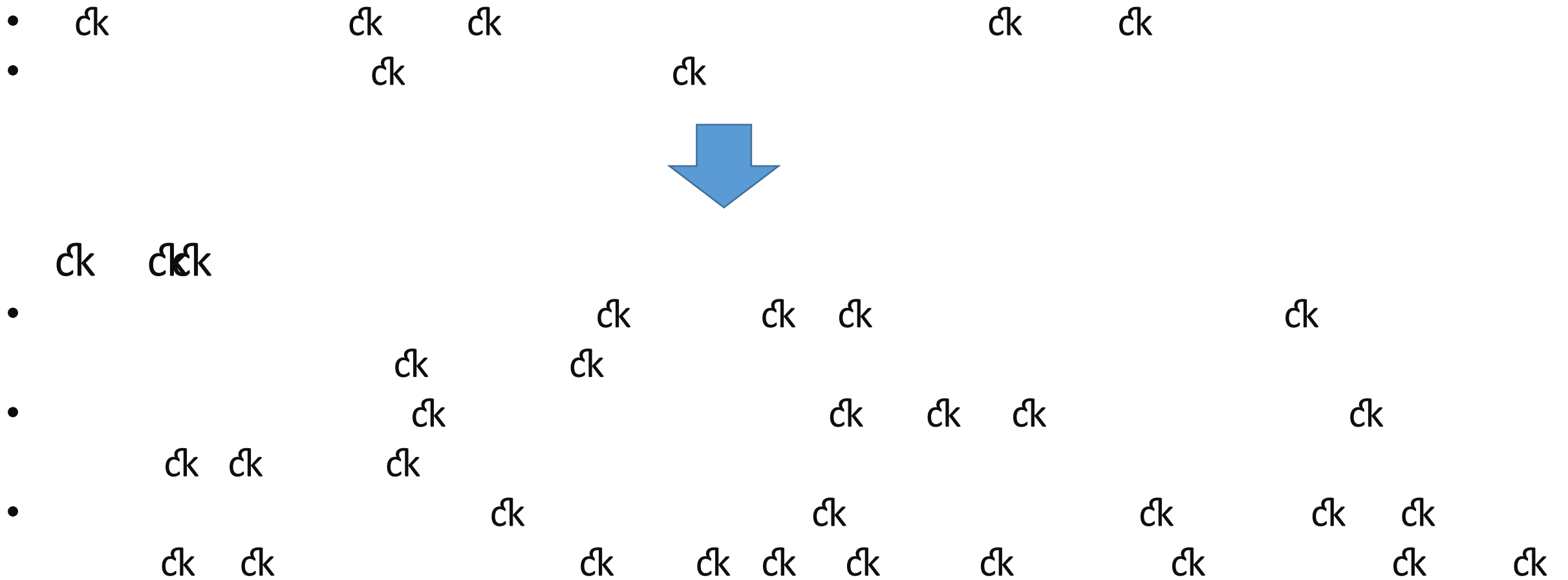


graph reconstruction

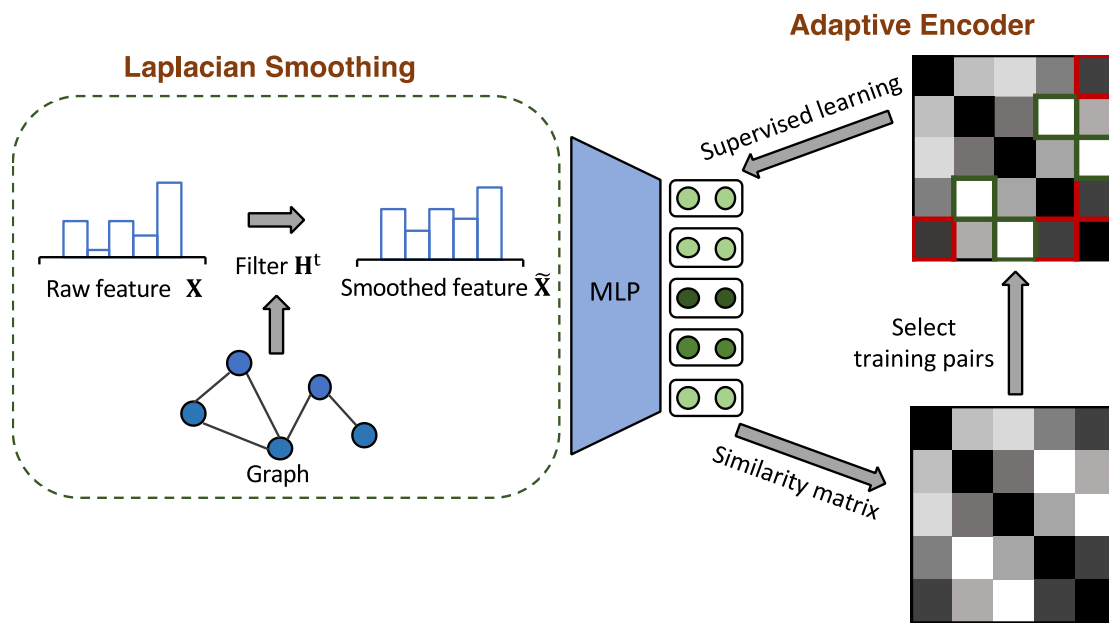


property prediction

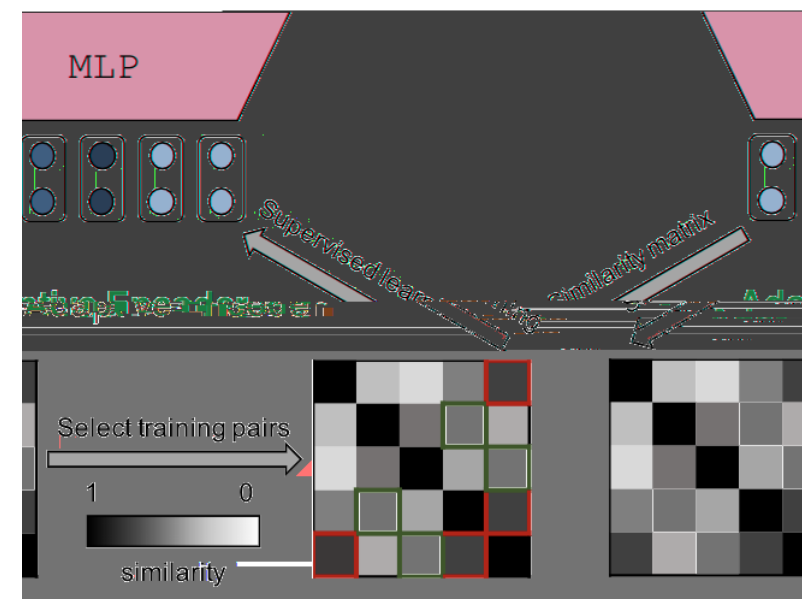
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- P ck ck P ck
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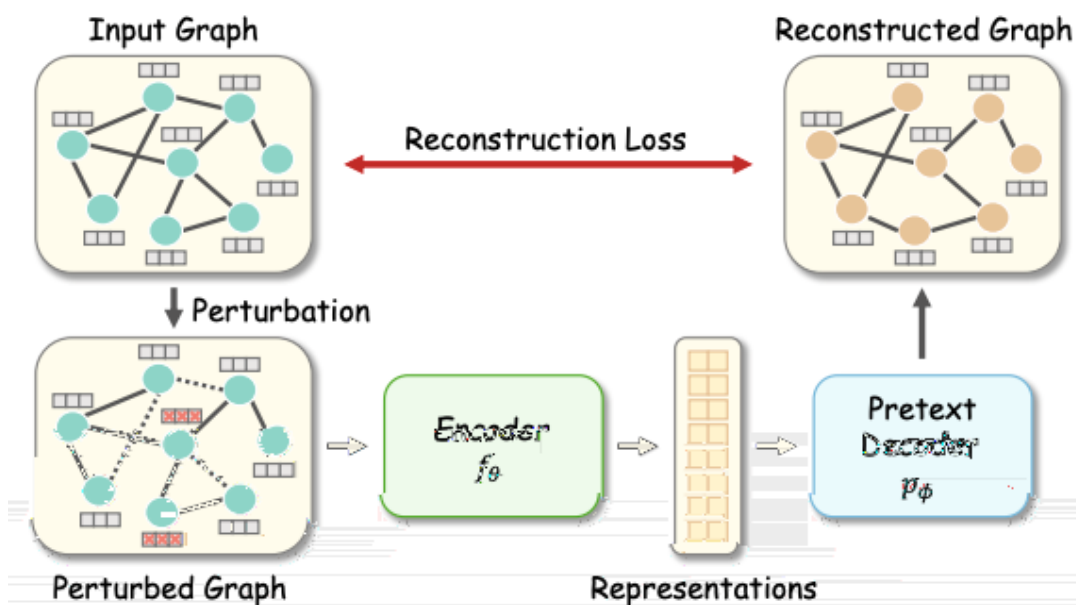
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- $\mathbb{R}^k \mathbb{R}^k \quad \mathbb{R}^k \mathbb{R}^k$

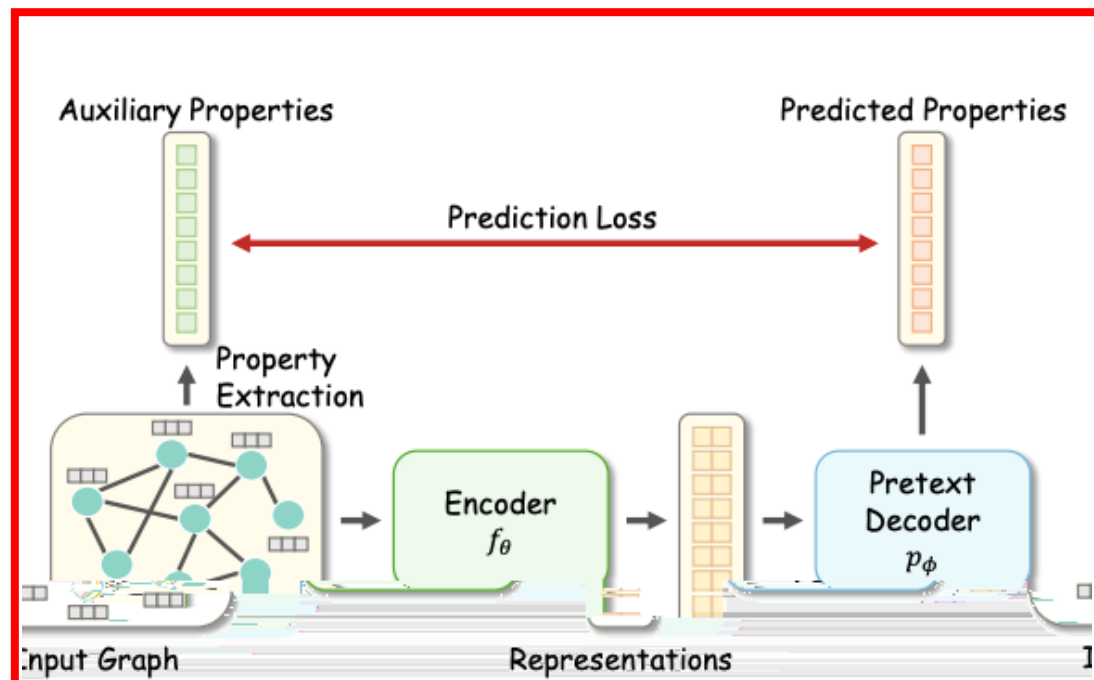
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graph reconstruction



property prediction

B c_k c_k c_k c_k c_k c_k c_k c_k c_k c_k c_k

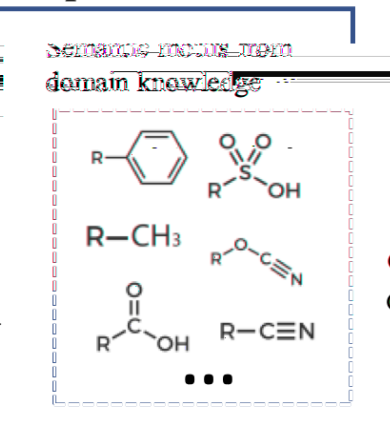
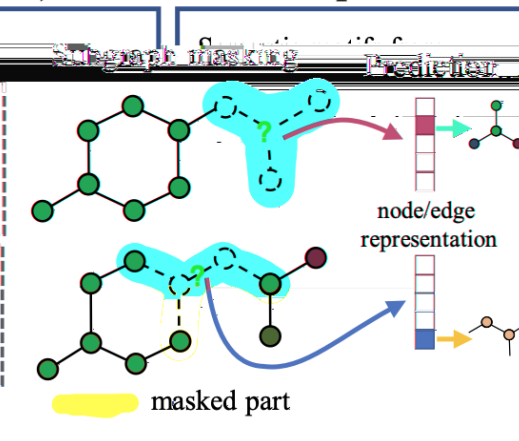
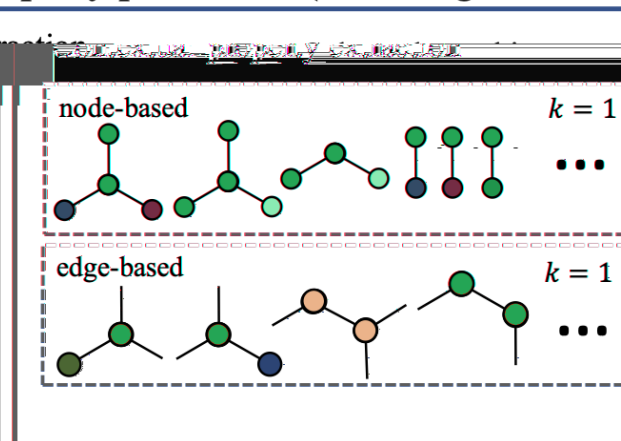
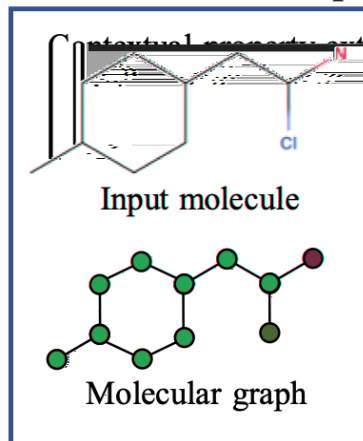
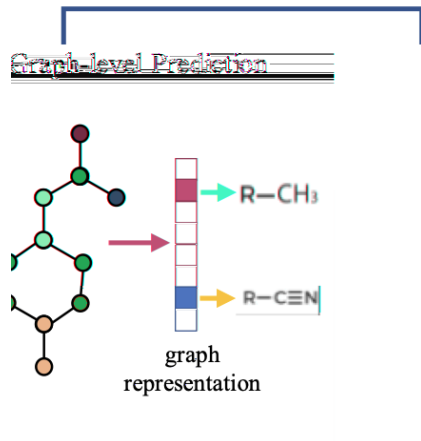
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Contextual property prediction (node/edge level task)

Graph-level motif prediction



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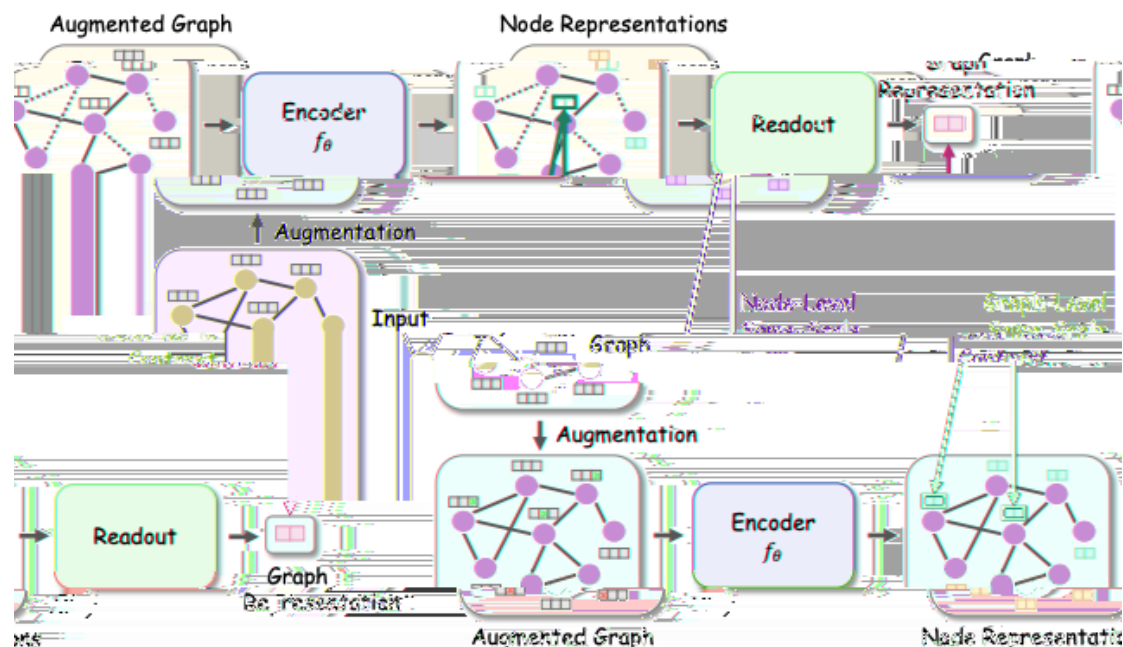
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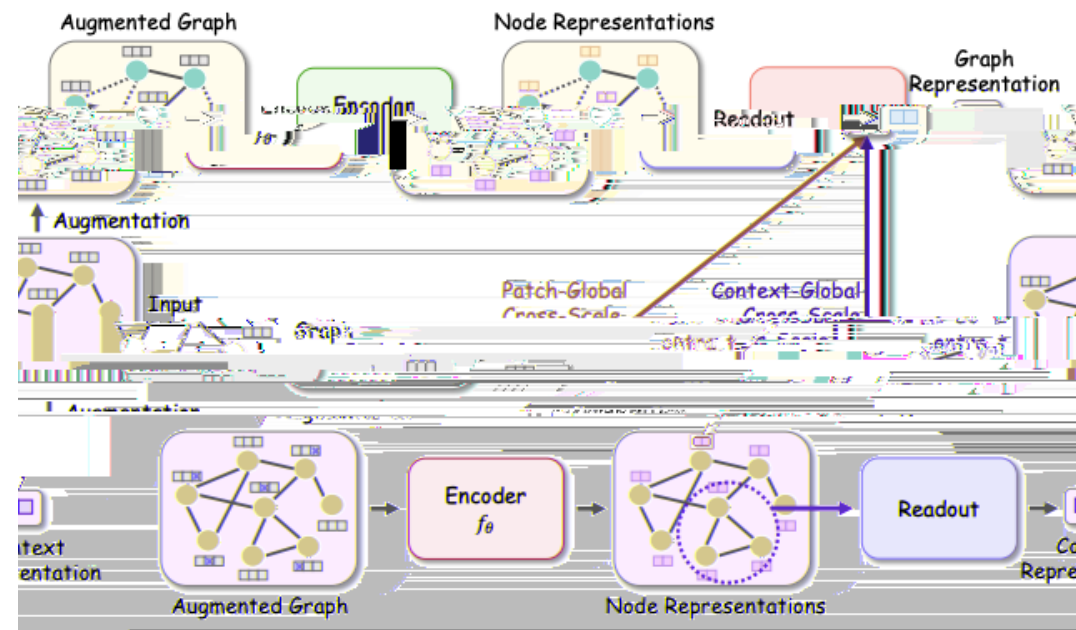
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same-scale contrastive learning



cross-scale contrastive learning

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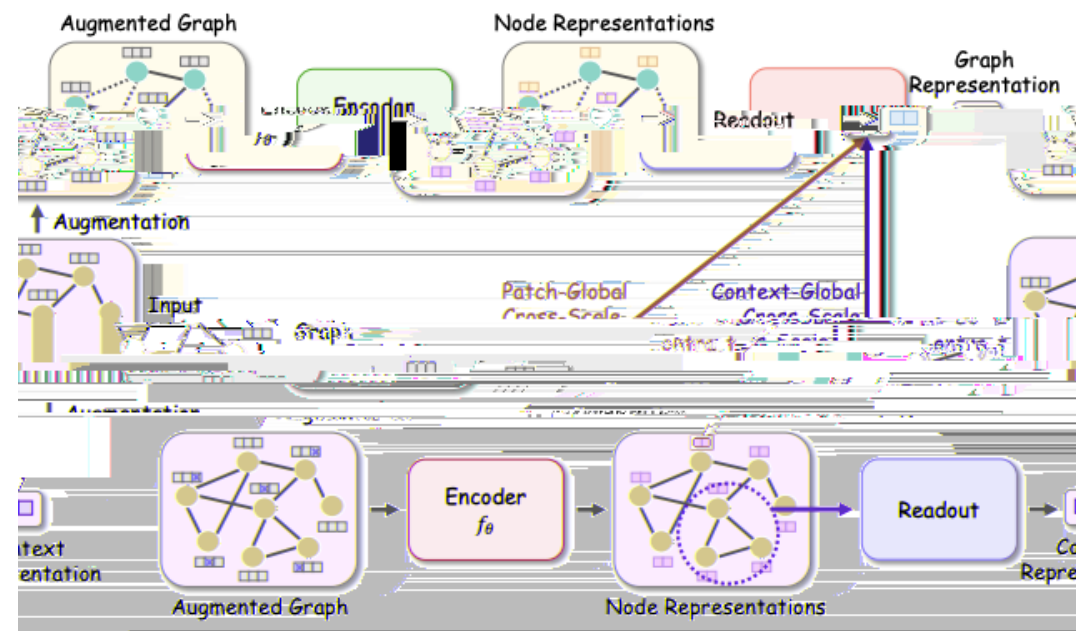
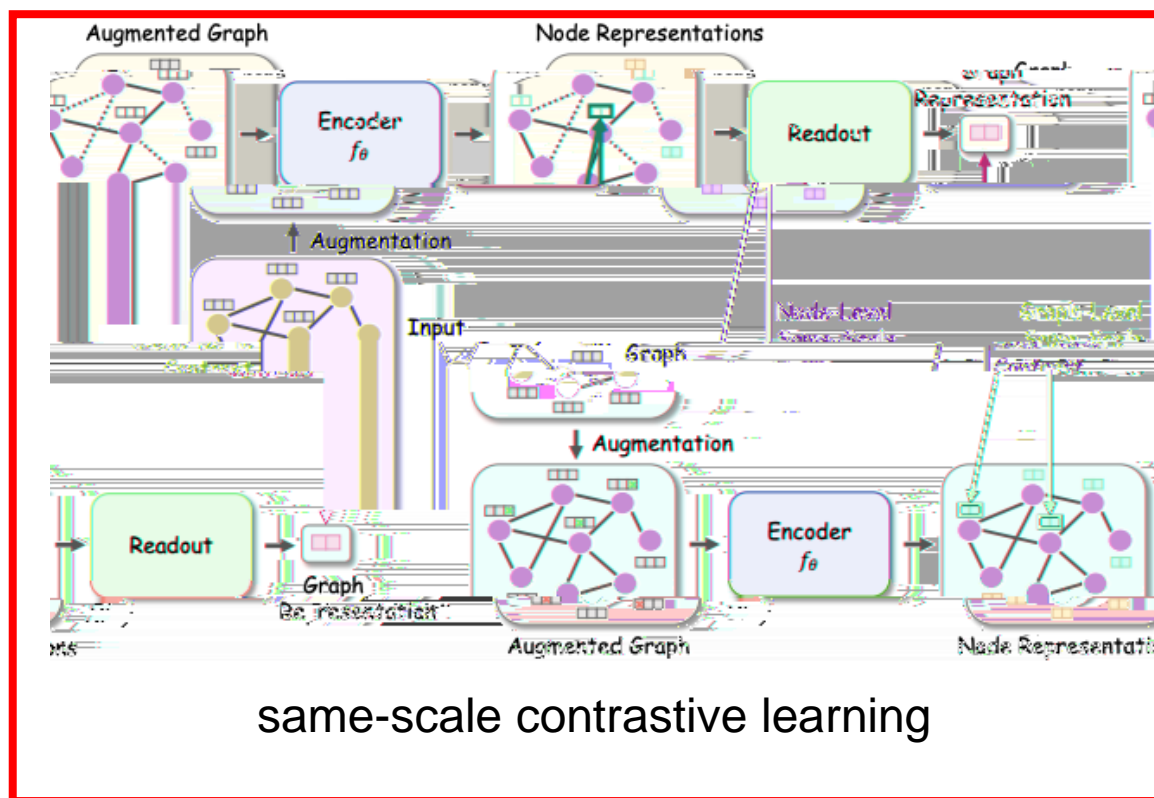
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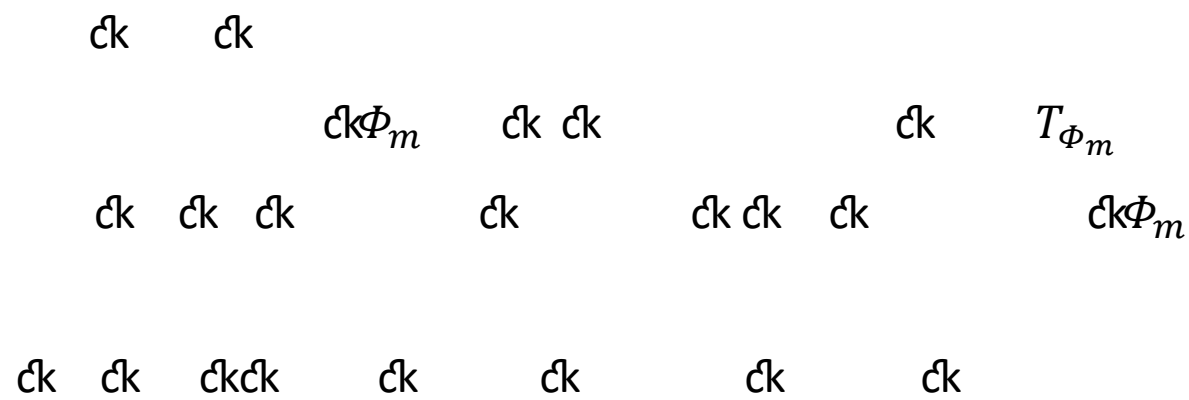
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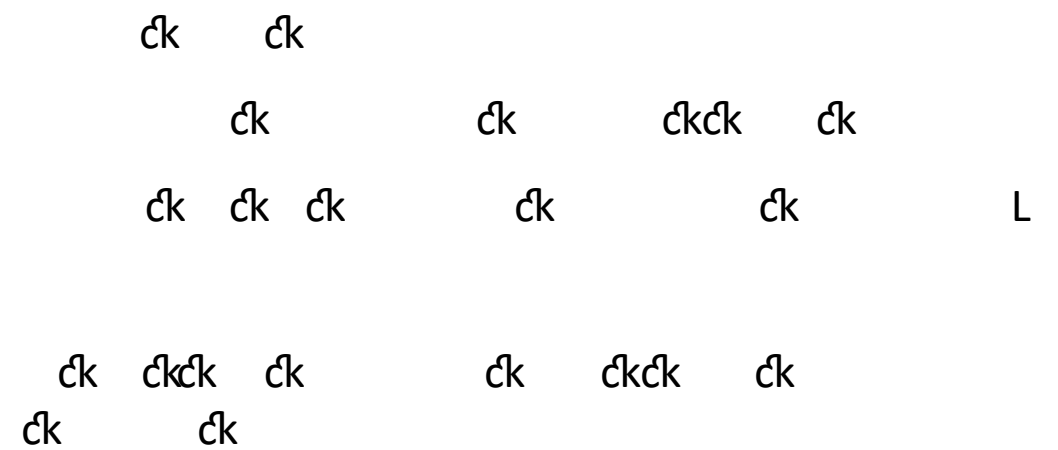
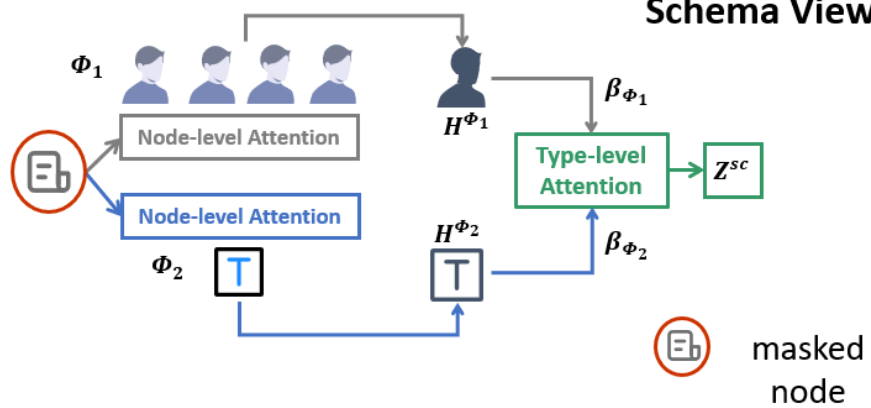
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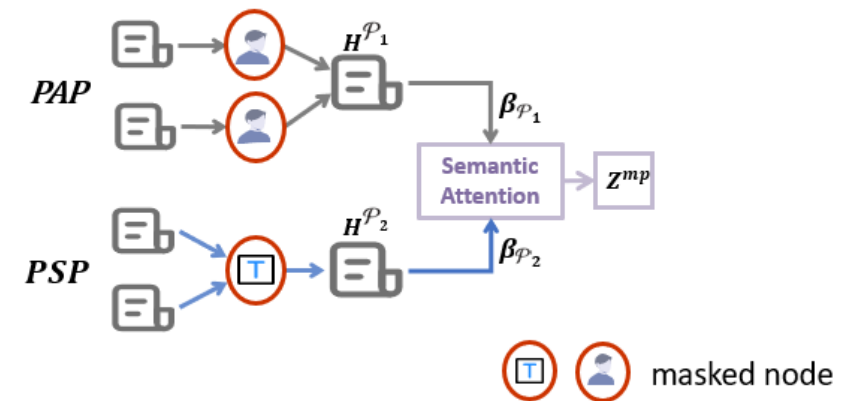
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Network Schema View



Meta-path View



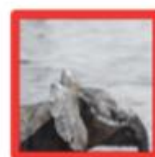
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Top
Right

Predict Relative Position



Rotation



Jigsaw

• ck ck ck ck ck ck ck

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ck

Can we generate better augmentations than typical random dropping-based methods?

- $d_k \quad d_k$
- $d_k \quad d_k \quad d_k \quad L \quad L \quad d_k \quad d_k \quad d_k \quad d_k \quad g \quad d_k \quad h$
- $d_k \quad g \quad d_k \quad d_k$
- $d_k \quad h \quad d_k \quad d_k$

$$g(\mathbf{Z}; \mathbf{F}) = \mathbf{F}\mathbf{Z}, \quad h(\mathbf{Z}; \mathbf{W}) = \sigma(\mathbf{Z}\mathbf{W}), \quad \mathbf{F} = \mathbf{D}^{-\frac{1}{2}} \mathbf{A} \mathbf{D}^{-\frac{1}{2}}$$

$$GCN(\mathbf{X}) = h_L \circ g \circ h_{L-1} \circ g \circ \dots \circ h_1 \circ g(\mathbf{X}),$$

$$SGC(\mathbf{X}) = h \circ g^{[L]}(\mathbf{X}),$$

- $d_k d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k$
- $d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k \quad d_k$

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- ck ck ck *g* ckck ck

- P ck

- ck ck ck ck

ck ck ck ckck ck ck ck ck

Datasets	Cora	CiteSeer	PubMed	Coauthor-CS	Amazon-C	Amazon-P	Avg. Acc.	Avg. Rank
GCN	82.5 ± 0.4	71.2 ± 0.3	79.2 ± 0.3	93.03 ± 0.3	86.51 ± 0.5	92.42 ± 0.2	-	-
GAT	83.0 ± 0.7	72.5 ± 0.7	79.0 ± 0.3	92.31 ± 0.2	86.93 ± 0.3	92.56 ± 0.4	-	-
InfoGCL	83.5 ± 0.3	73.5 ± 0.4	79.1 ± 0.2	-	-	-	-	-
DGI	82.3 ± 0.6	71.8 ± 0.7	76.8 ± 0.3	92.15 ± 0.6	83.95 ± 0.5	91.61 ± 0.2	83.10	8.5
GRACE	81.7 ± 0.5	72.1 ± 0.5	80.2 ± 0.4	93.01 ± 0.2	88.23 ± 0.3	92.57 ± 0.3	84.63	6.5
MGPI	81.7 ± 0.5	72.1 ± 0.5	80.2 ± 0.4	93.01 ± 0.2	88.23 ± 0.3	92.57 ± 0.3	84.63	6.5
BGRL	81.7 ± 0.5	72.1 ± 0.5	80.2 ± 0.4	93.01 ± 0.2	88.23 ± 0.3	92.57 ± 0.3	84.63	6.5
GCA	83.4 ± 0.3	72.3 ± 0.4	80.2 ± 0.4	93.10 ± 0.0	87.85 ± 0.3	92.53 ± 0.2	84.89	4.0
SimGRACE	77.3 ± 0.1	71.4 ± 0.1	78.3 ± 0.3	93.45 ± 0.4	86.94 ± 0.2	91.39 ± 0.2	82.98	8.5
COLS	81.2 ± 0.2	71.5 ± 0.2	80.2 ± 0.7	92.65 ± 0.1	79.64 ± 0.8	89.09 ± 0.5	82.49	8.8
ARIEL	82.5 ± 0.1	72.2 ± 0.2	80.5 ± 0.3	93.35 ± 0.0	88.27 ± 0.2	91.73 ± 0.2	84.71	4.8
CCA-SSG	83.9 ± 0.4	73.1 ± 0.3	81.3 ± 0.4	93.37 ± 0.2	88.42 ± 0.3	92.44 ± 0.1	85.42	2.3
Base Model	81.1 ± 0.4	71.4 ± 0.1	79.1 ± 0.4	92.86 ± 0.3	87.65 ± 0.2	91.19 ± 0.3	83.88	9.0
MA-GCL	83.3 ± 0.4	73.6 ± 0.1	83.5 ± 0.4	94.19 ± 0.1	88.83 ± 0.3	93.80 ± 0.1	86.20	1.2

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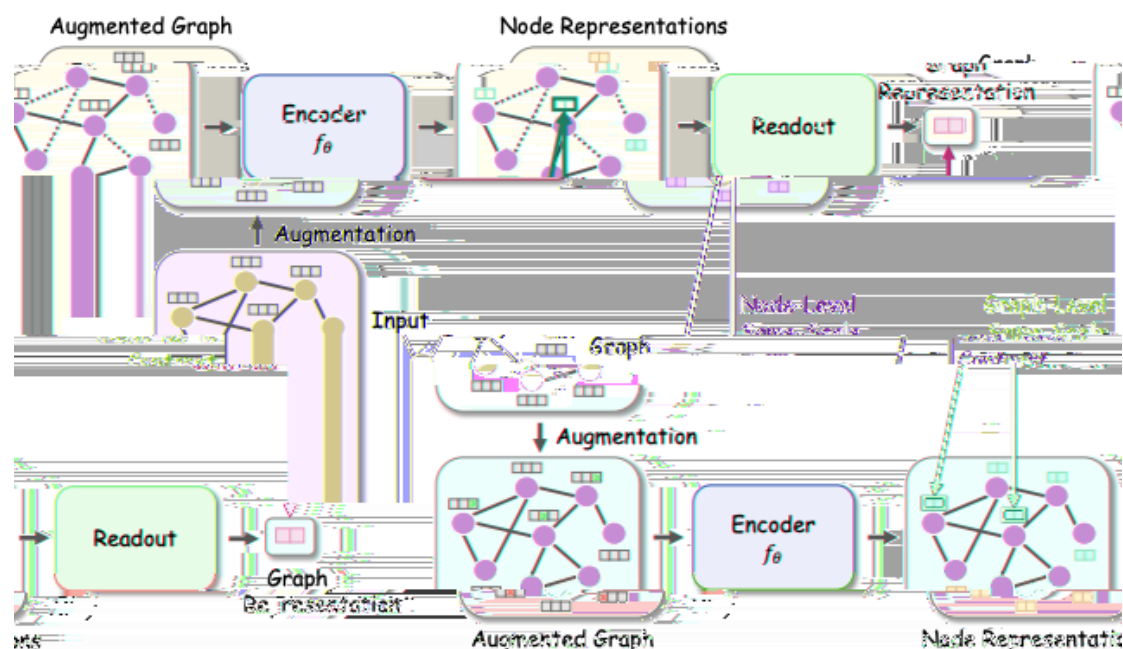
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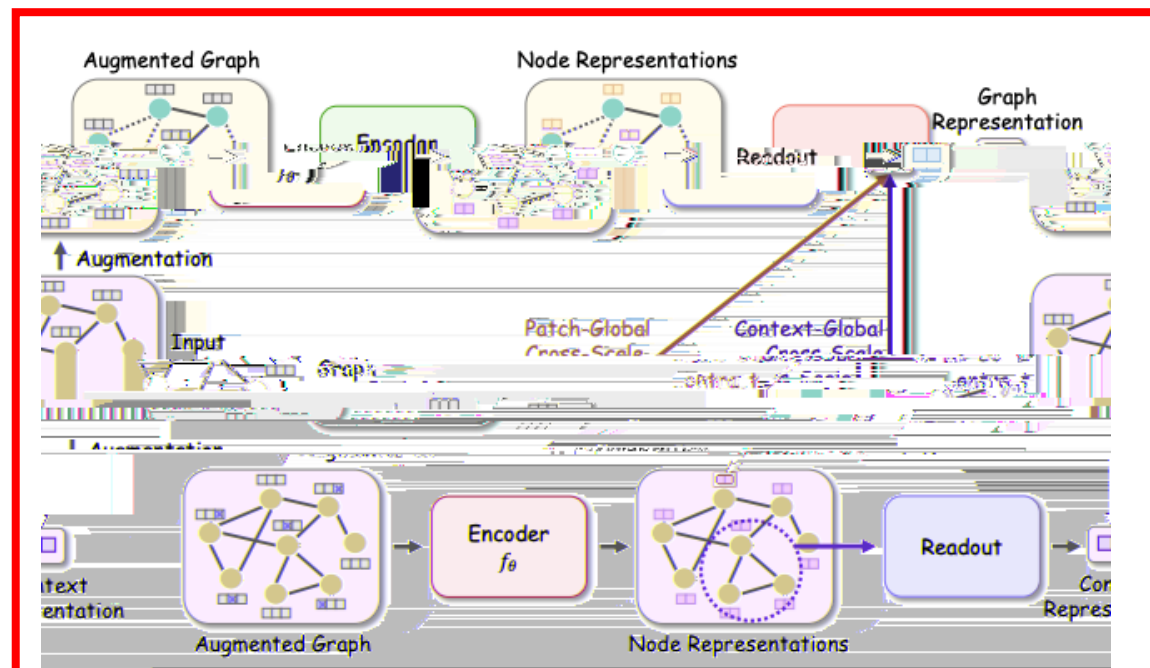
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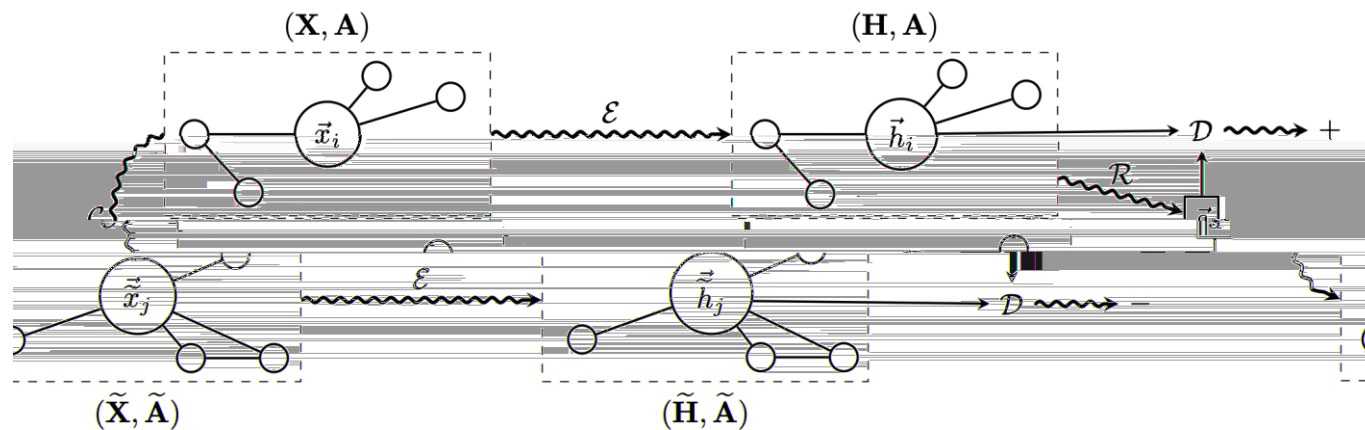
same-scale contrastive learning



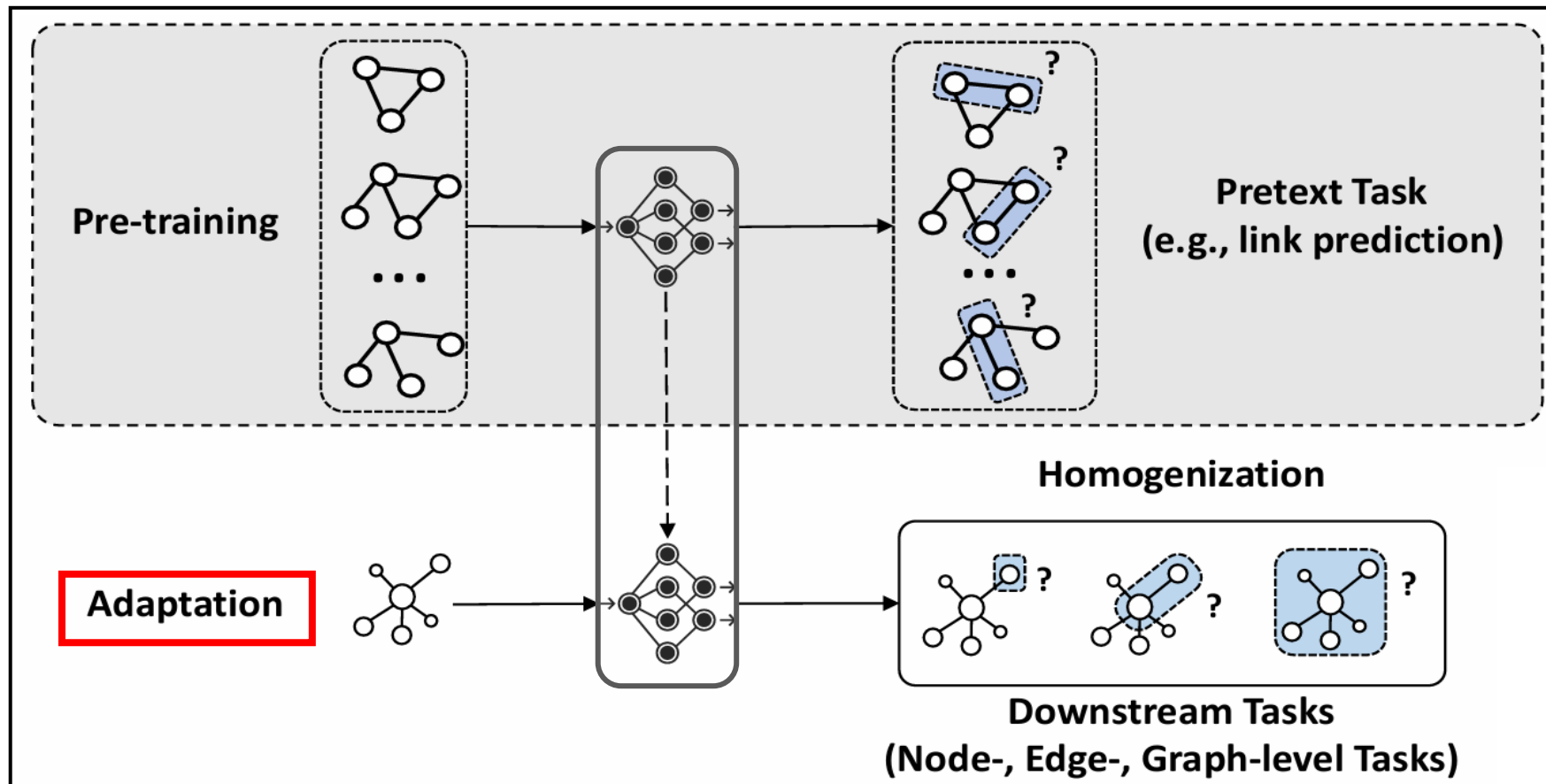
cross-scale contrastive learning

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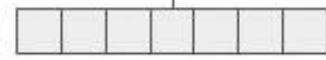
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Model Tuning
(a.k.a. "Fine-Tuning")



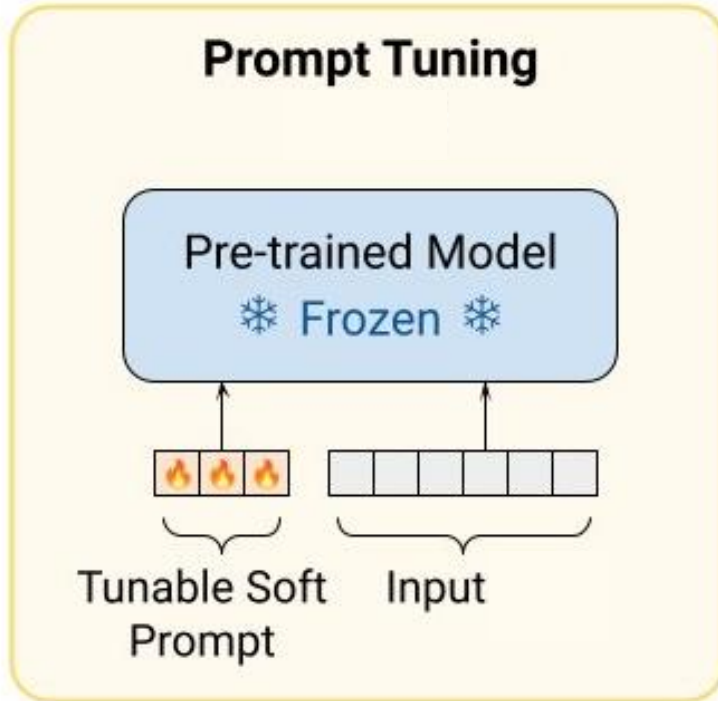
Input

Prompt Tuning



Tunable Soft Prompt

Input



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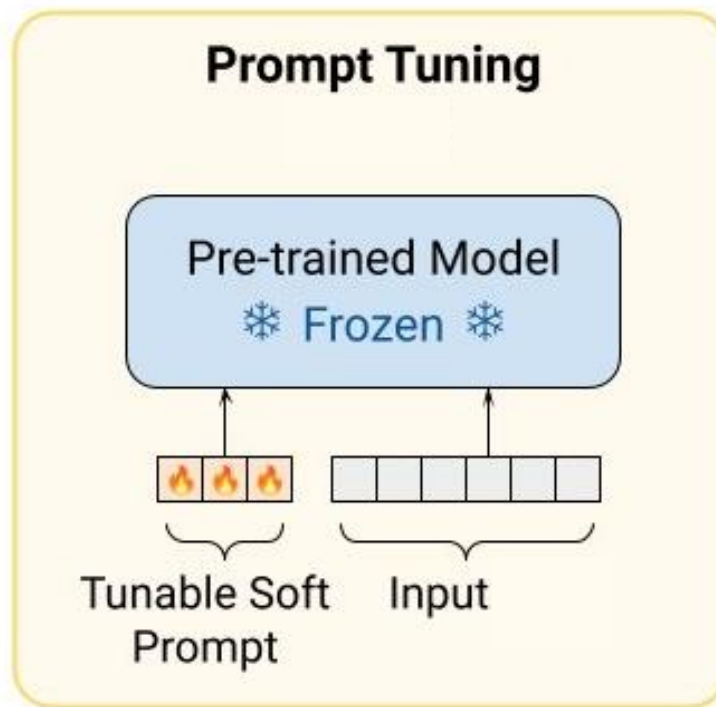
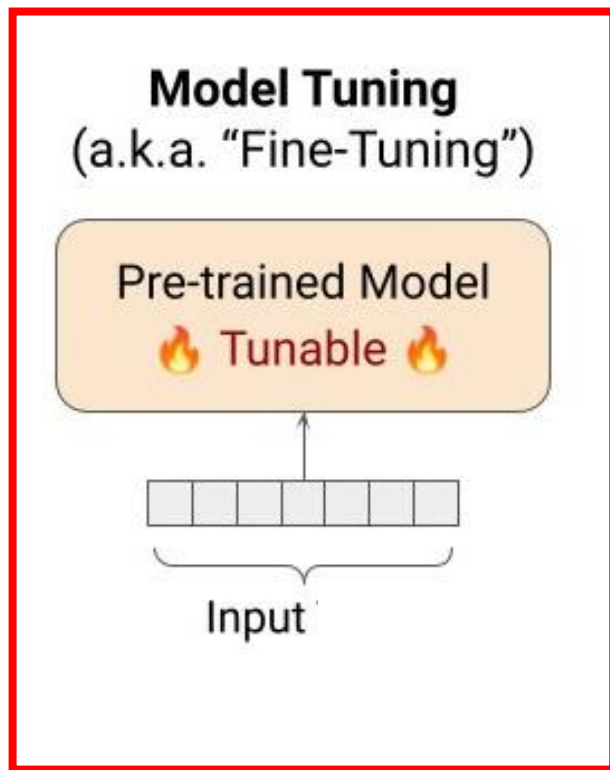
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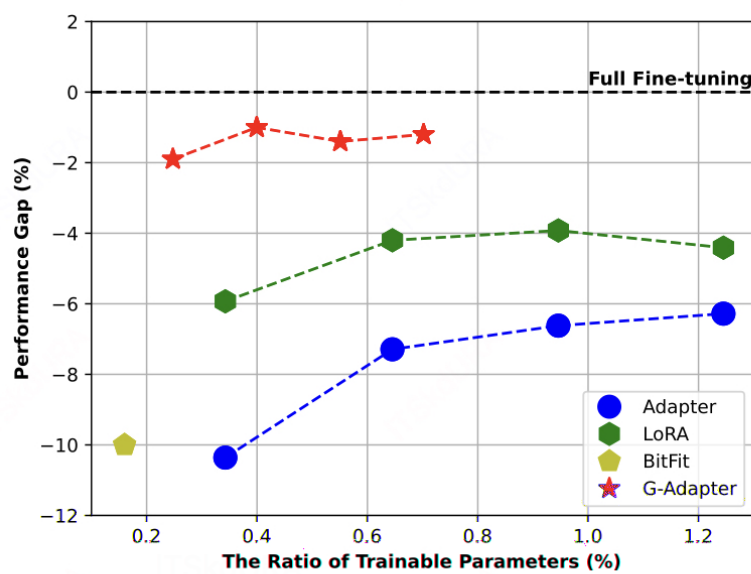
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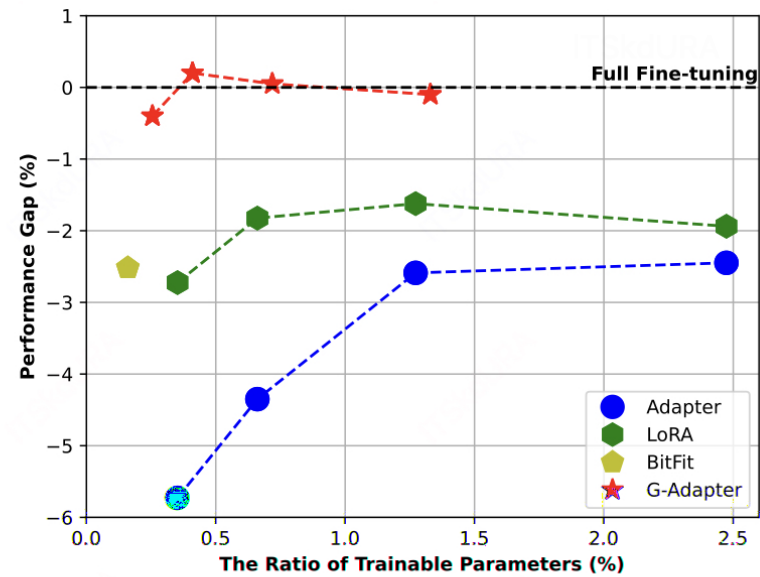
Can PEFTs from the language domain be transferred directly to graph-based tasks?

- There is a significant gap between traditional PEFTs and full fine-tuning, especially on large-scale datasets.

How to design a graph-specific PEFT method?



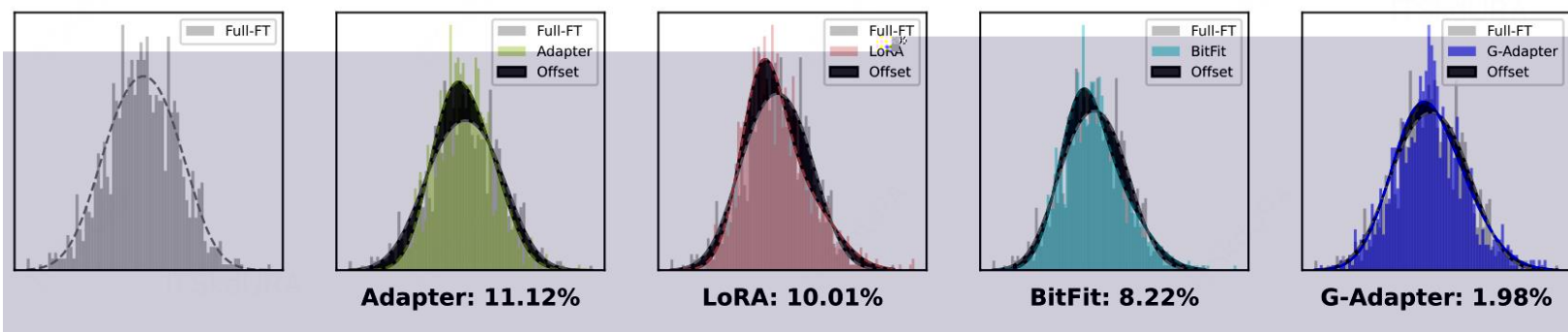
(a) On large-scale datasets.



(b) On small-scale datasets.

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- Delta tuning improves the traditional fine-tuning in the catastrophic forgetting of pre-trained knowledge problem and overfitting problem.

How to effectively utilize the advantages of delta tuning while preserving the expressivity of GNNs?

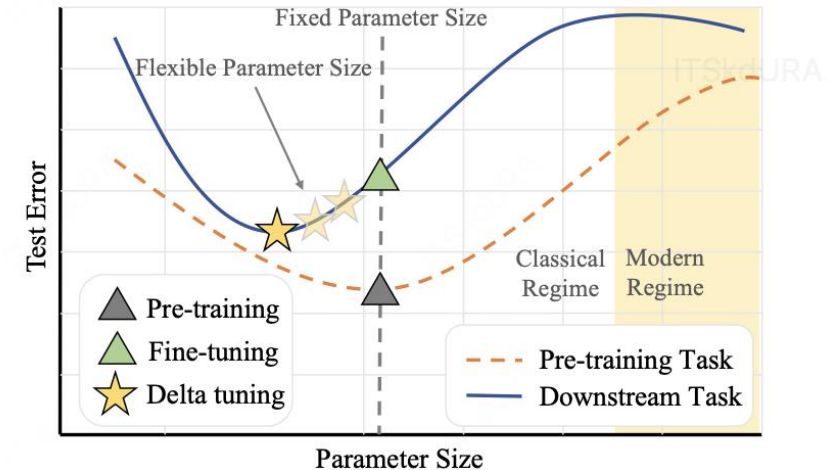
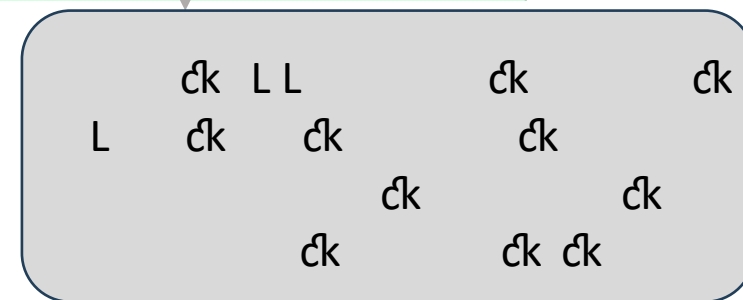
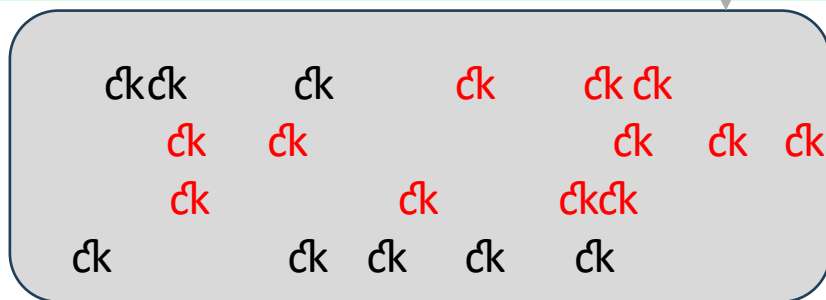
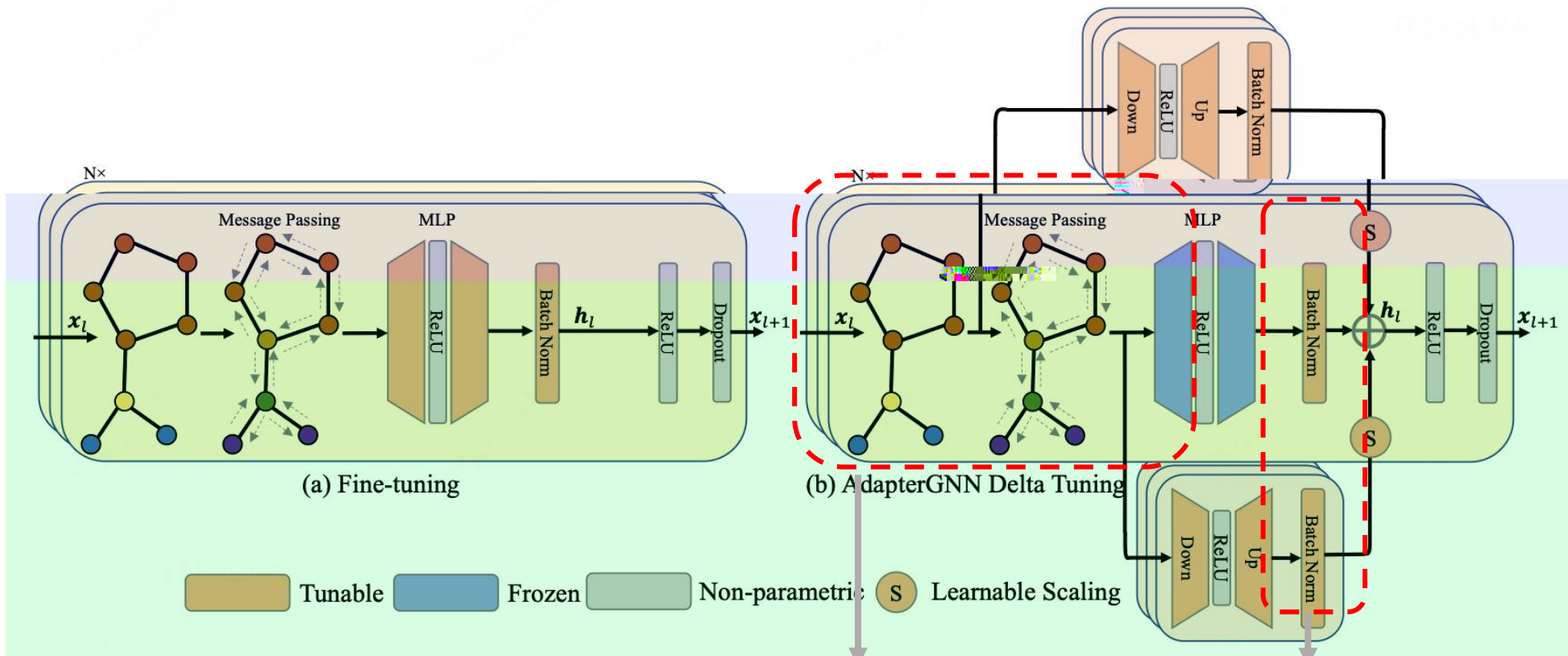
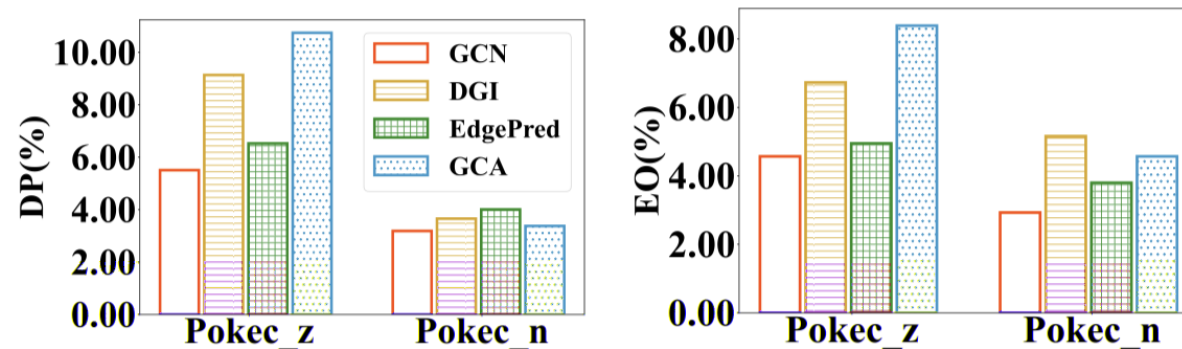


Figure 1: A large model is often employed for pre-training \blacktriangle when sufficient data is available. However, for downstream tasks with limited data, a smaller model is optimal in the classical regime. Compared with fine-tuning \blacktriangle , delta tuning \star preserves expressivity while reducing the size of parameter space, leading to lower test error.



- Recent works have demonstrated that pre-trained language models tend to inherit bias from pre-training corpora.
- Pre-trained Graph Models(PGMs) can well capture semantic information on graphs during the pre-training phase, which inevitably contains sensitive attribute semantics.

How to improve the fairness of PGMs?



(a) Demographic Parity (DP).

(b) Equality Opportunity (EO).

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- Existing works generally train a fair GNN for a specific task.
- Debiasing for a specific task in the pre-training phase is inflexible, and maintaining a specific PGM for each task is inefficient.

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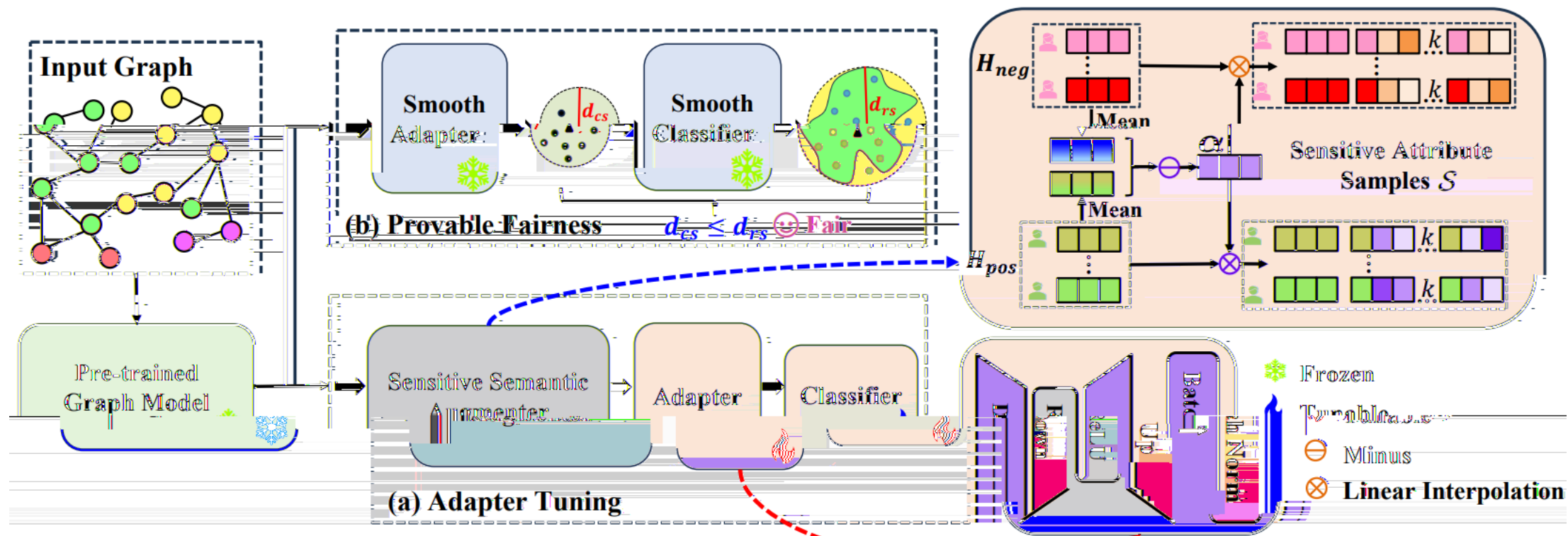
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- Provable lower bounds on the fairness of model prediction.

How to efficiently and flexibly endow PGMs fairness with practical guarantee?



$$\alpha = \mathbf{h}_{pos} - \mathbf{h}_{neg},$$

$$\mathbf{h}_{pos} = \frac{1}{n_{pos}} \sum_{i=1}^{n_{pos}} \mathbf{H}_{pos,i}, \mathbf{h}_{neg} = \frac{1}{n_{neg}} \sum_{i=1}^{n_{neg}} \mathbf{H}_{neg,i}$$

$$\mathcal{S}_i := \{\mathbf{h}_i + t \cdot \alpha \mid |t| \leq \epsilon\} \subseteq \mathbb{R}^p,$$

$$\mathcal{L}_{\text{RandAT}} = \mathbb{E}_{i \in \mathcal{V}_L} \left[\mathbb{E}_{\mathbf{h}'_i \in \hat{\mathcal{S}}_i} [\ell(d \circ g(\mathbf{h}'_i), y_i)] \right],$$

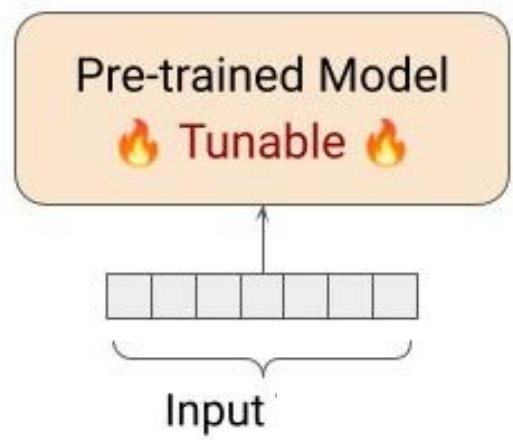
$$\mathcal{L}_{\text{MinMax}}(\mathbf{h}_i) \approx \max_{\mathbf{h}'_i \in \hat{\mathcal{S}}_i} \|g(\mathbf{h}_i) - g(\mathbf{h}'_i)\|_2.$$

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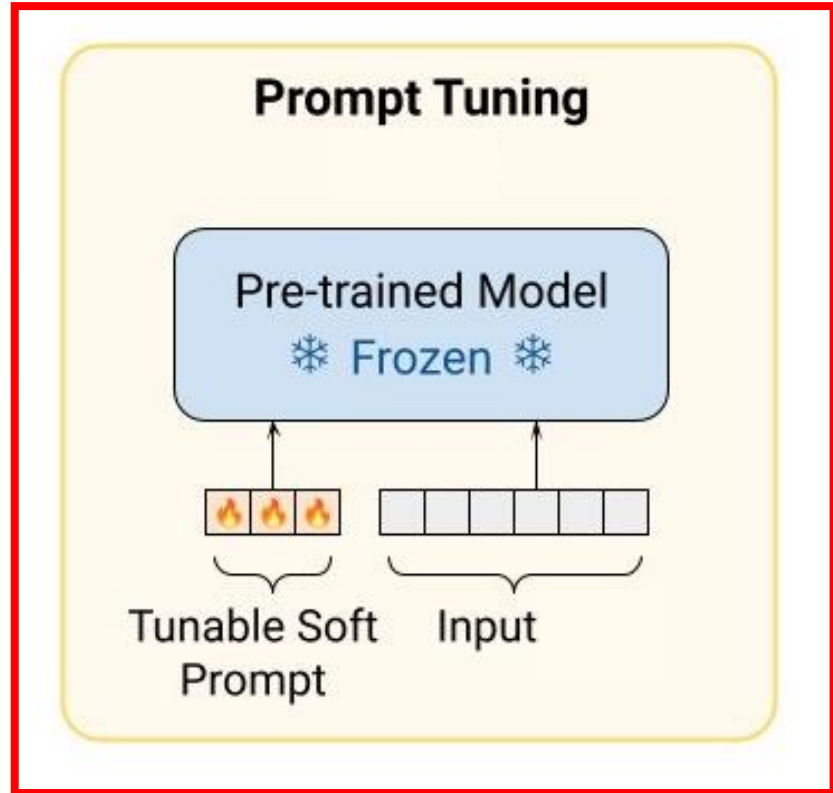
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Model Tuning
(a.k.a. "Fine-Tuning")

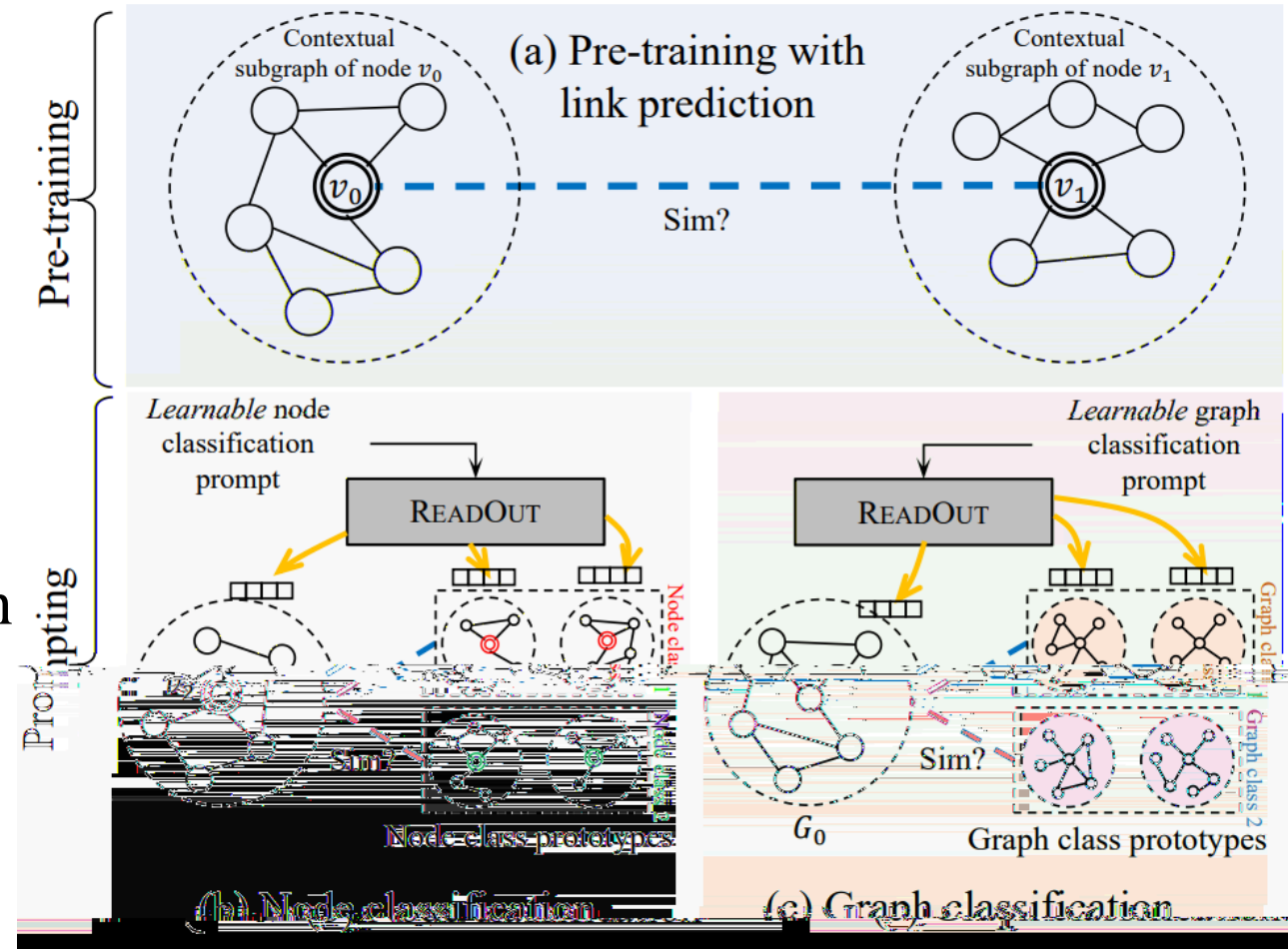


Prompt Tuning



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- How to unify various pre-training and downstream tasks on graph?
- How to design prompts on graph?
- A unified task template based on subgraph similarity computation
- Use a learnable prompt to guide graph readout for different tasks



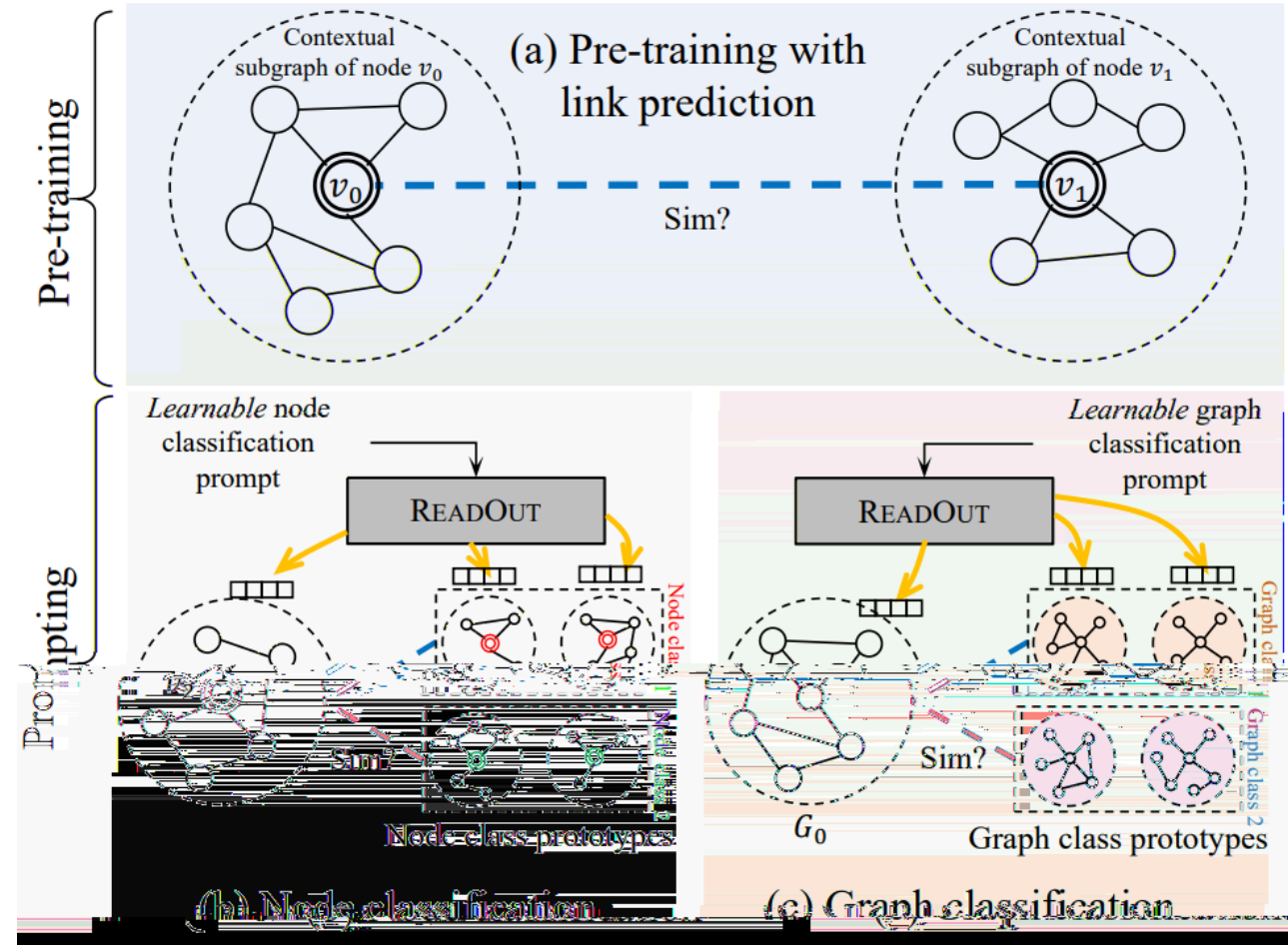
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Different downstream tasks require different subgraph readout
 → Use task-specific learnable prompts

Prompt vector added to the readout layer of the pre-trained GNN

$$\mathbf{s}_{t,x} = \text{READOUT}(\mathbf{p}_t \oplus \mathbf{h}_x; v \in V(S_x))$$

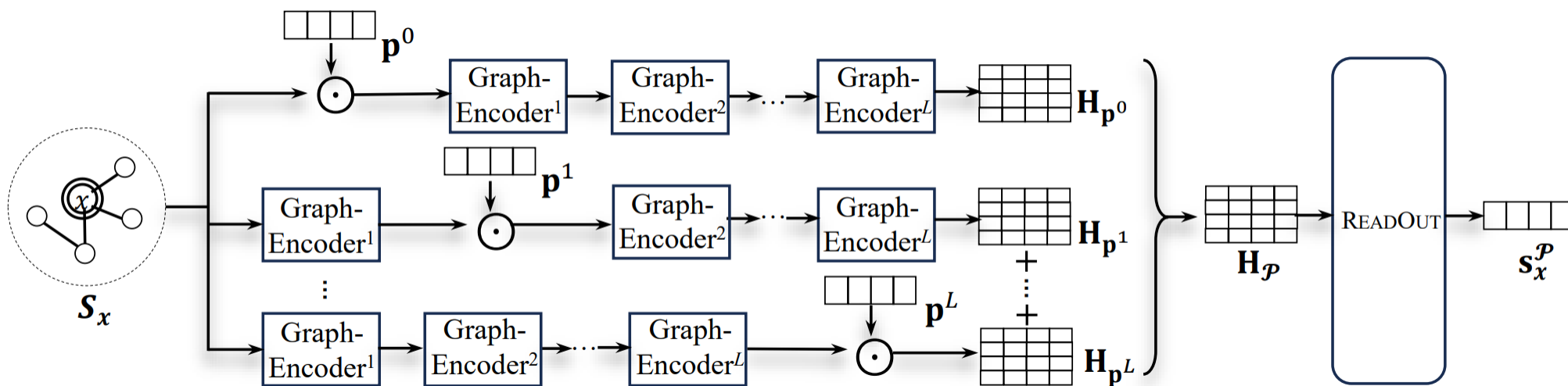
$\mathbf{s}_{t,x}$: (sub)graph embedding of x for a task t
 \mathbf{h}_v : node v 's embedding vector
 \mathbf{p}_t or \mathbf{P}_t : learnable prompt vector or matrix for task t



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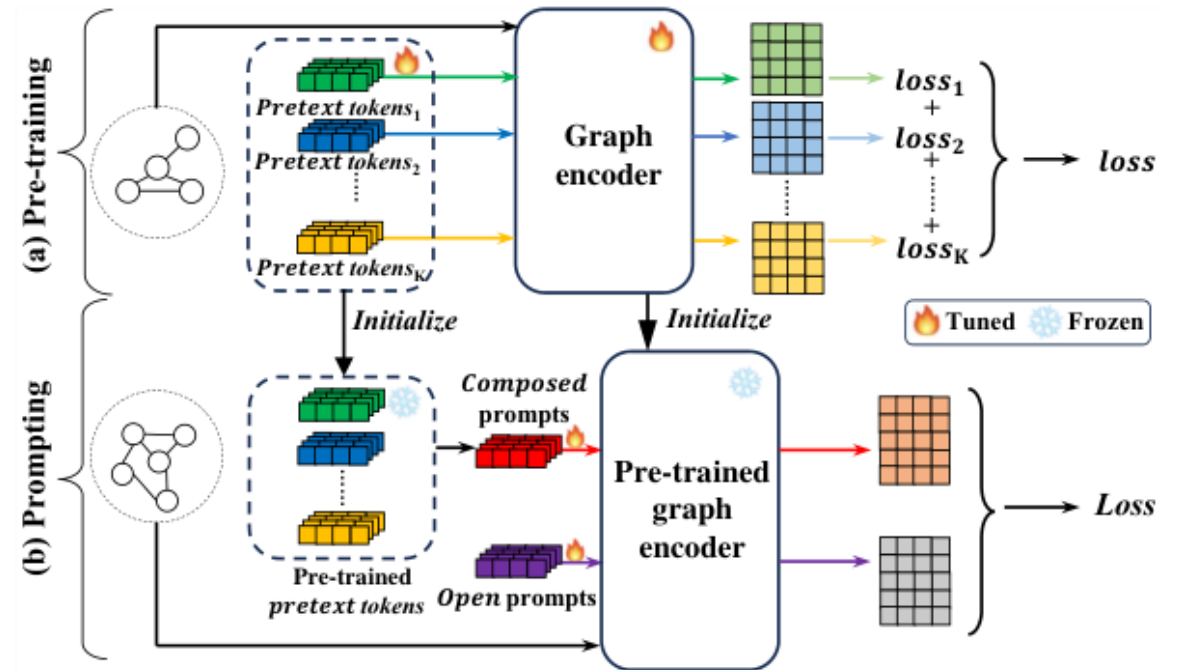


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- To cater to diverse downstream tasks, pre-training should broadly extract knowledge from various aspects.

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- Different pretext tasks often have different objectives, directly combining them lead to task interference.
- Multiple pretext tasks further complicates the alignment of downstream objectives with the pre-trained model.



C1: How can we leverage diverse pre-text tasks for graph models in a synergistic manner?

C2: How can we transfer both task-specific and global pre-trained knowledge

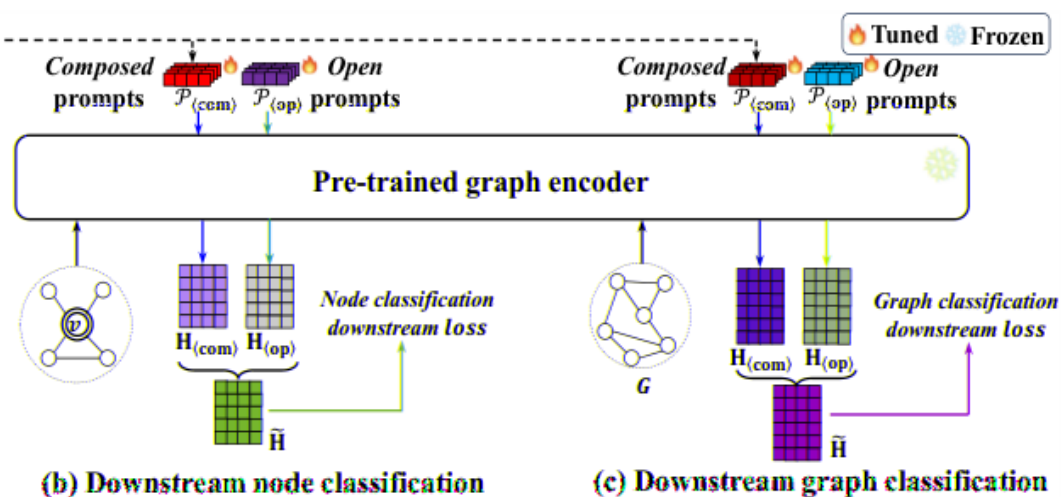
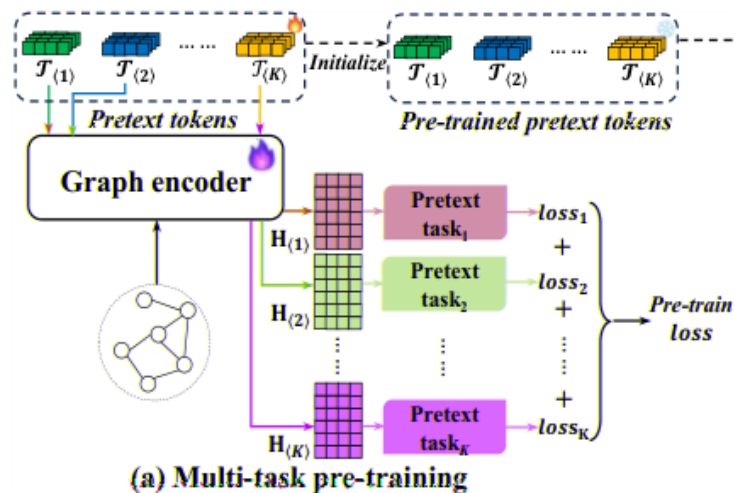
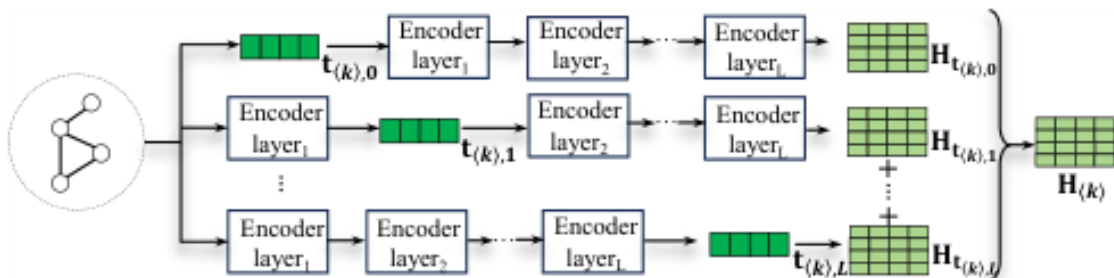
Multi-task pre-training

$$\mathcal{T}_{\langle k \rangle} = \{t_{\langle k \rangle,0}, t_{\langle k \rangle,1}, \dots, t_{\langle k \rangle,L}\}$$

$$\mathbf{H}^{l+1} = \text{MP}(t_{\langle k \rangle,l} \odot \mathbf{H}^l, \mathbf{A}; \theta^l)$$

$$\mathbf{H}_t = \text{GRAPHENCODER}_t(\mathbf{X}, \mathbf{A}; \Theta)$$

$$\mathbf{H}_{\langle k \rangle} = \sum_{l=0}^L \alpha_l \mathbf{H}_{t_{\langle k \rangle,l}} \quad \mathcal{L}_{\text{pre}}(\mathcal{H}; \mathcal{T}, \Theta) = \sum_{k=1}^K \beta_k \mathcal{L}_{\text{pre}_{\langle k \rangle}}(\mathbf{H}_{\langle k \rangle}; \mathcal{T}_{\langle k \rangle}, \Theta)$$



Prompt tuning

$$\mathcal{P}_{\langle \text{com} \rangle} = \{p_{\langle \text{com} \rangle,0}, p_{\langle \text{com} \rangle,1}, \dots, p_{\langle \text{com} \rangle,L}\}$$

$$p_{\langle \text{com} \rangle,l} = \text{COMPOSE}(t_{\langle k \rangle,l}, t_{\langle k \rangle,l}, \dots, t_{\langle k \rangle,l}; \Gamma)$$

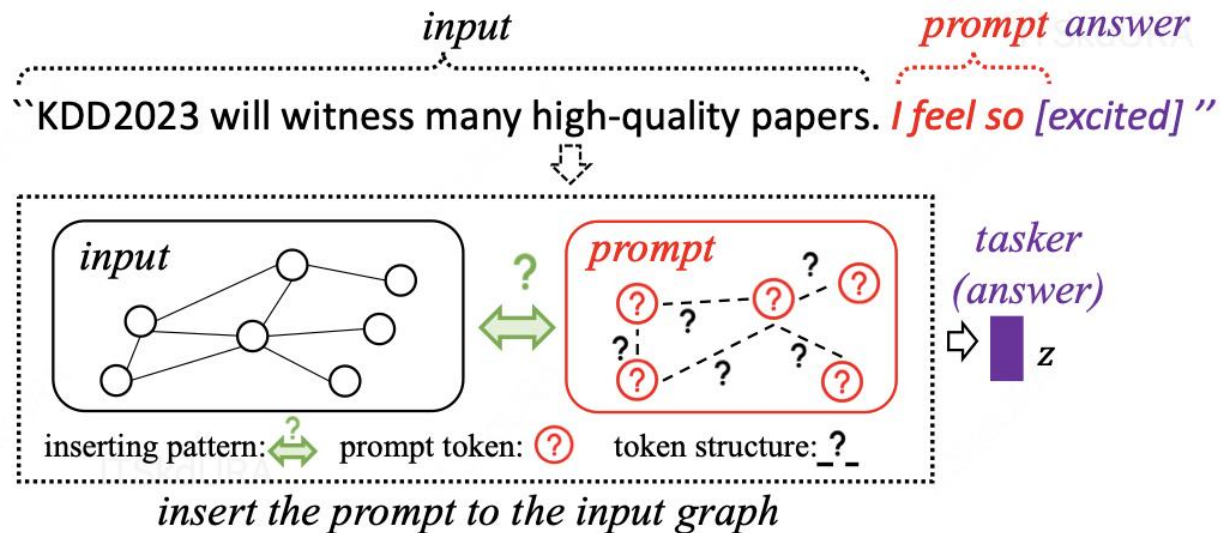
$$\mathcal{P}_{\langle \text{op} \rangle} = \{p_{\langle \text{op} \rangle,0}, p_{\langle \text{op} \rangle,1}, \dots, p_{\langle \text{op} \rangle,L}\}$$

$$\mathbf{H}_p = \text{GRAPHENCODER}_p(\mathbf{X}, \mathbf{A}; \Theta_{\text{pre}})$$

$$\tilde{\mathbf{H}} = \text{AGGR}(\mathbf{H}_{\langle \text{com} \rangle}, \mathbf{H}_{\langle \text{op} \rangle}; \Delta)$$

ck ck:

- Graph prompt not only requires the prompt “content” but also needs to know how to organize these tokens and how to insert the prompt into the original graph.
- There is a huge difficulty in reconciling downstream problems to the pre-training task.
- Learning a reliable prompt needs huge manpower and is more sensitive in multi-task setting.

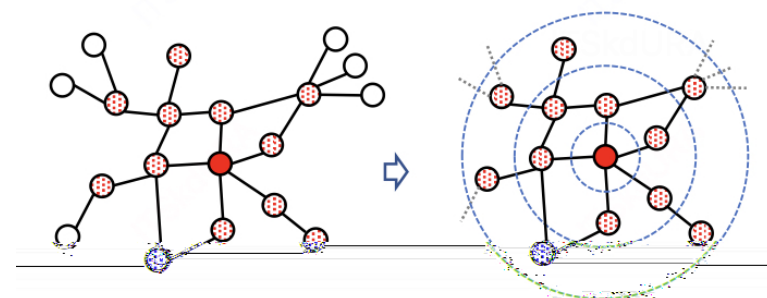


\mathcal{G}_k \mathcal{G}_k^B \mathcal{G}_k :

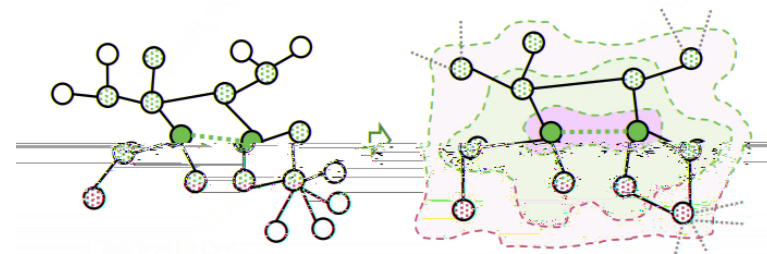
- This work reformulates node-level and edge-level tasks to graph-level tasks by building induced graphs for nodes and edges, respectively.

\mathcal{G}_k^B :

- This work introduces some prompt nodes with unique connection relationships between them and adaptively insert them into the original input graph, in order to obtain a prompt graph.



(a) Induced graphs for nodes



(b) Induced graphs for edges

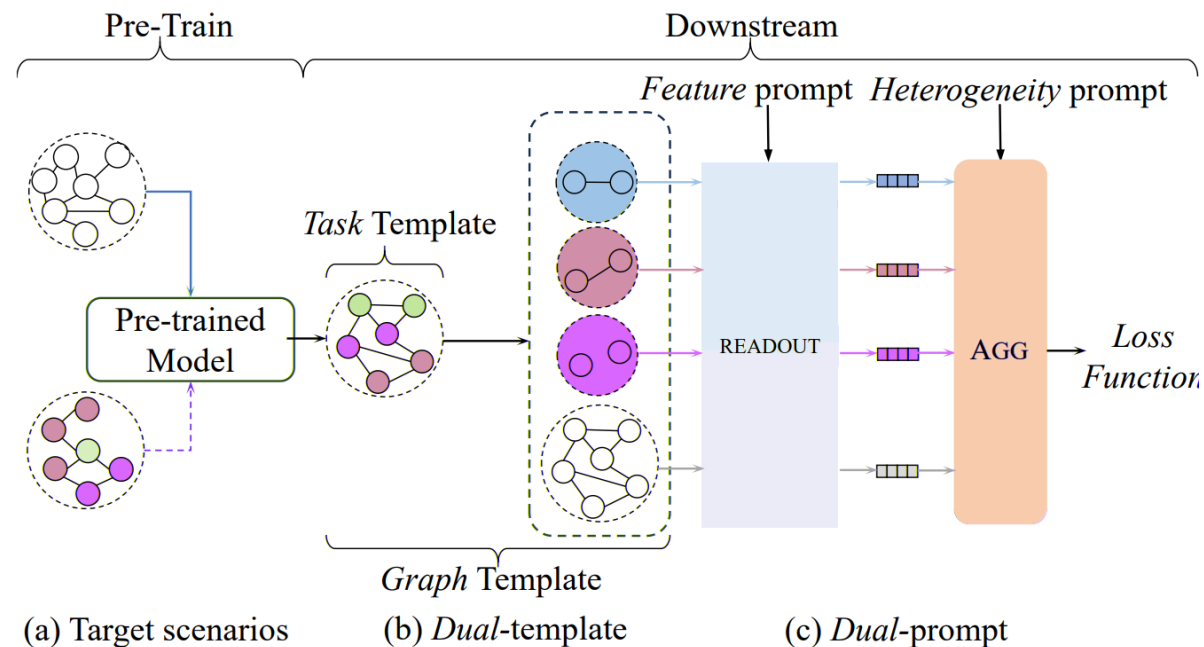
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- Gap between homogeneous and heterogeneous graph.
- Different downstream tasks focus on heterogeneous aspect.

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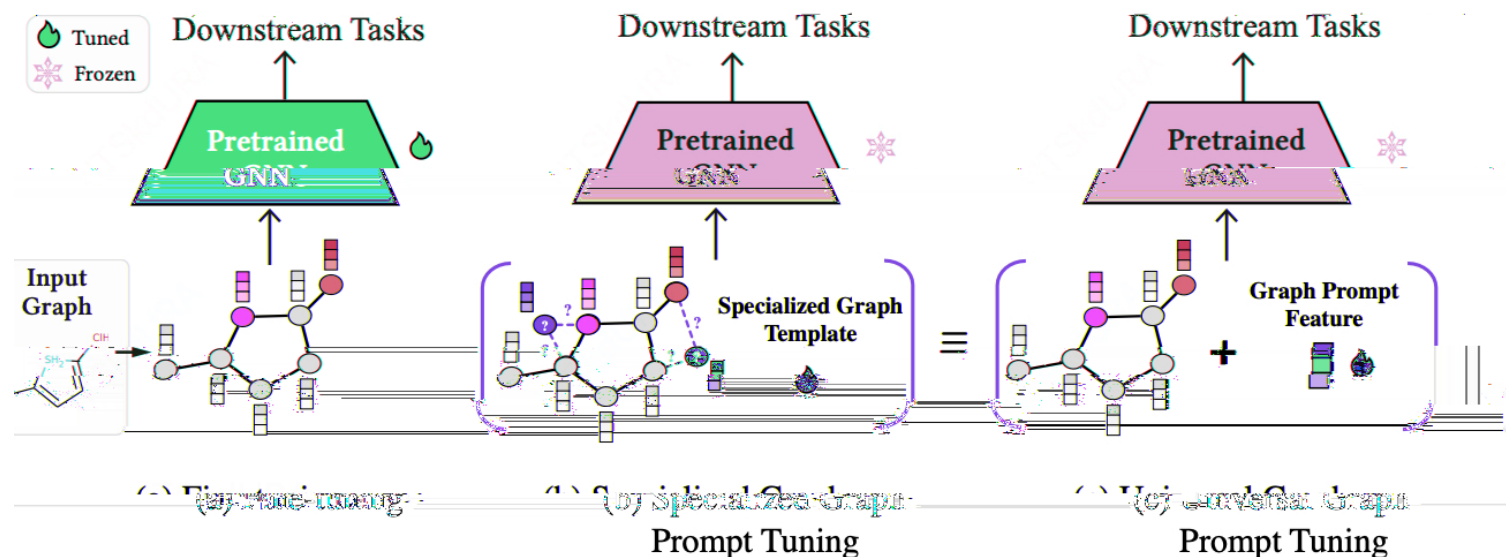


\mathcal{C}_k \mathcal{C}_k :

- Diverse pre-training strategies employed on graphs make it difficult to design suitable prompting functions.
- Existing prompt-based tuning methods for GNN models are predominantly designed based on intuition, lacking theoretical guarantees for their effectiveness.

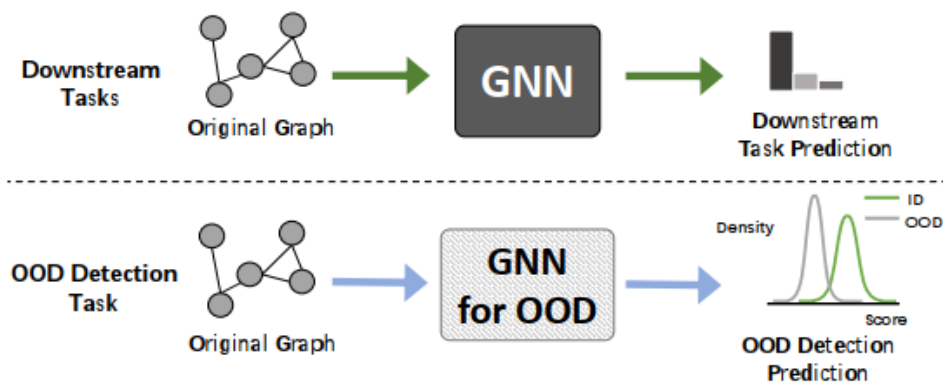
ck :

- This work proposes a universal prompt-based tuning method that can be applied to the pre-trained GNN models that employ any pre-training strategy.
- **GPF operates on the input graph's feature space** and involves adding a shared learnable vector to all node features in the graph.
- GPF-plus is a theoretically stronger variant of GPF, for practical application, which incorporates different prompted features for different nodes in the graph.

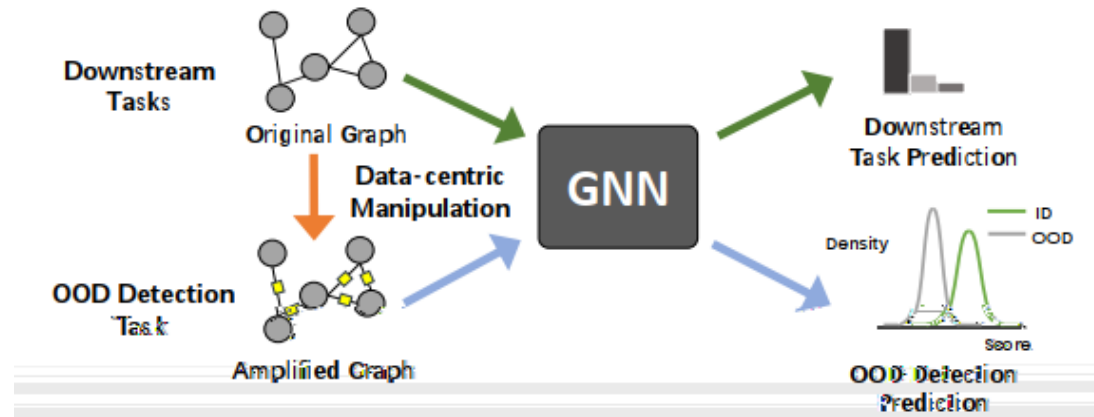


- A reliable GNN should not only perform well on know samples (ID) but also identify graphs it has not been exposed to before (OOD) .
- Existing works proposes to train a neural network specialized for the OOD detection task.

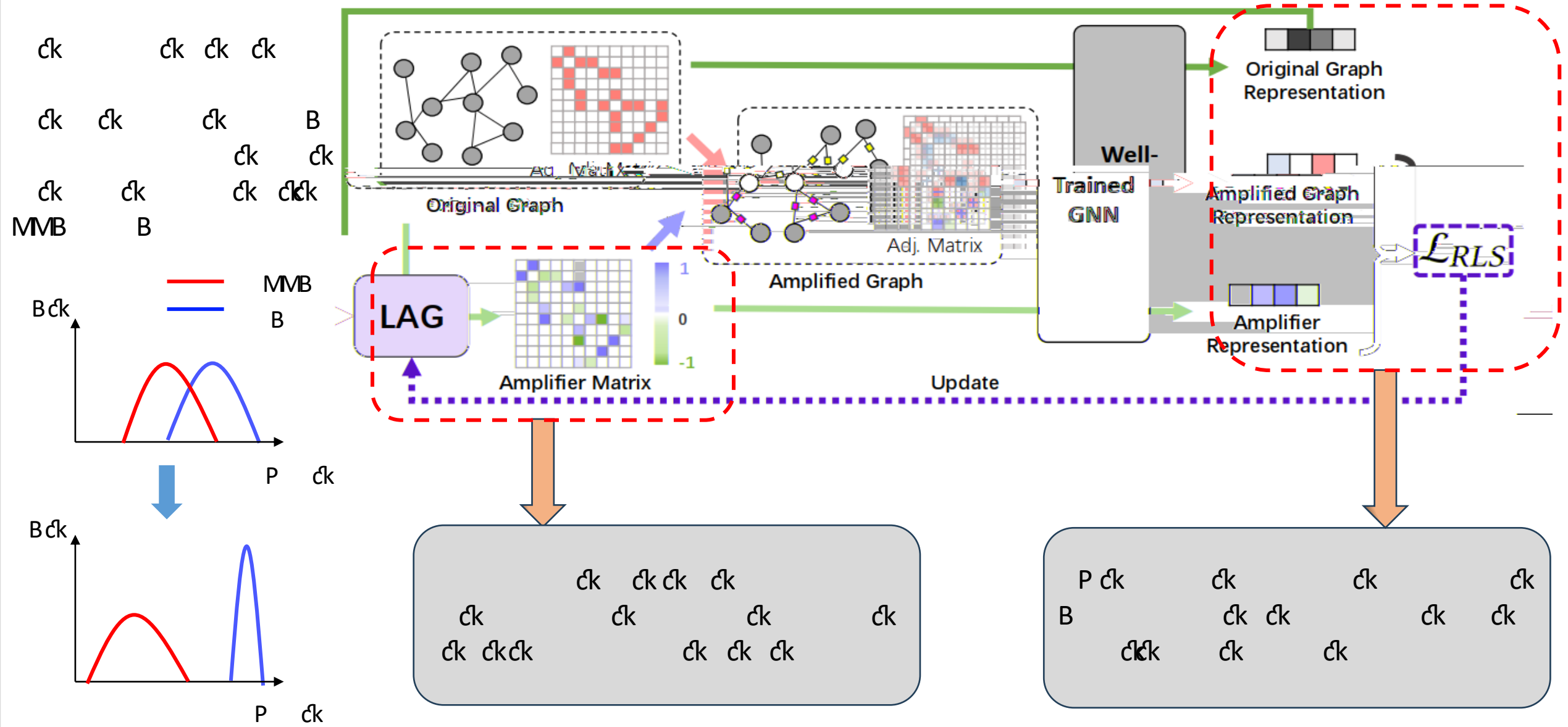
Can we build a graph prompt that can solve OOD detection given a well-trained GNN?



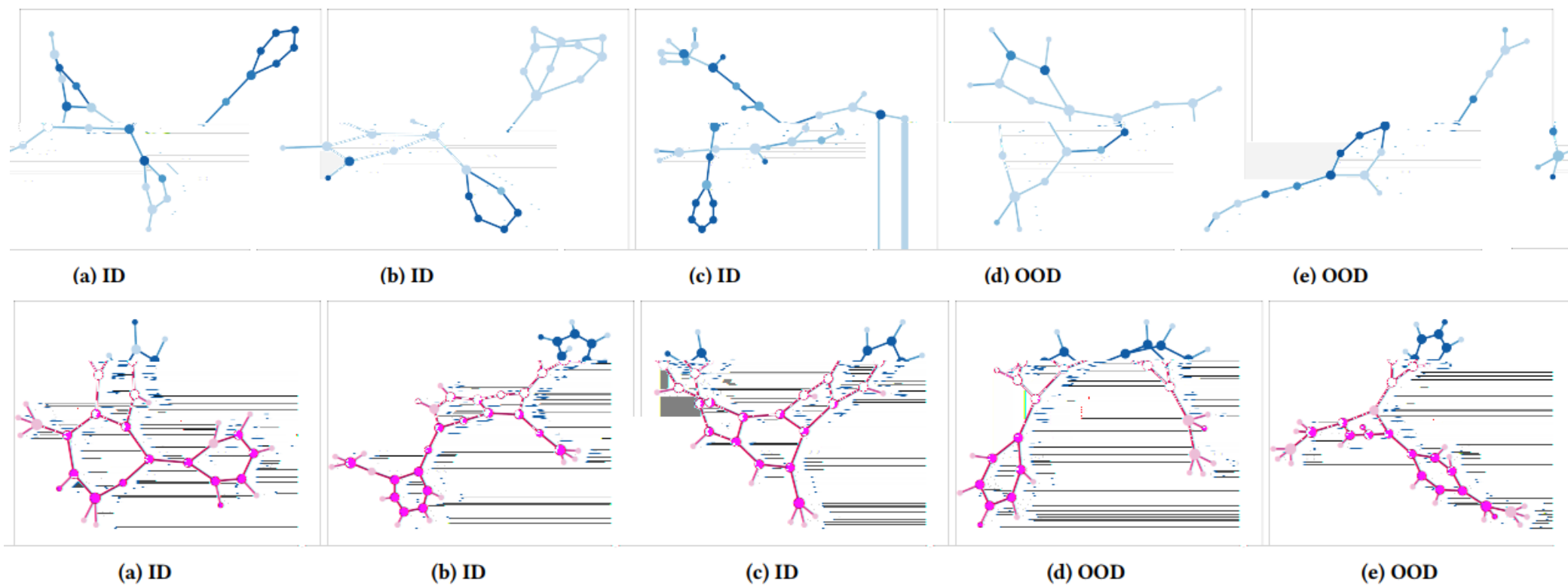
(1) Traditional works



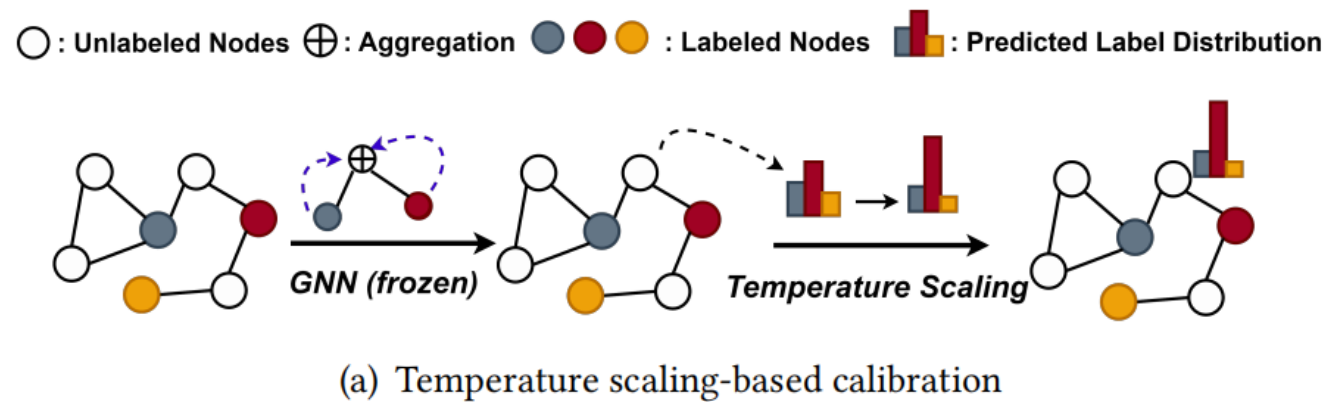
(2) Our proposed framework



Case study: We visualize the learned graph prompts (i.e., amplifiers) for interpretability analysis.



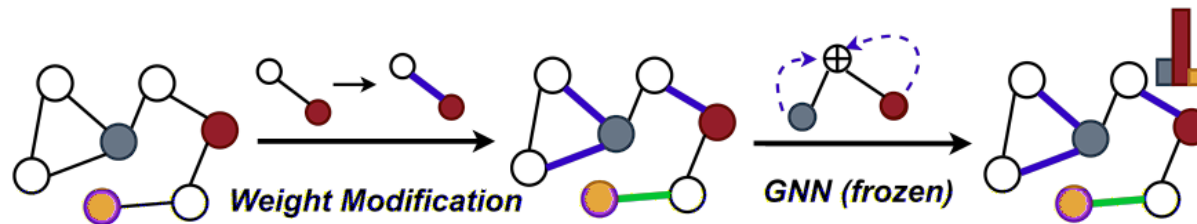
- Existing calibration methods focus on improving GNN models. Recent work has shown that the post-hoc methods, such as temperature scaling-based calibration, can achieve a better trade-off between accuracy and calibration.



- Through evaluating the expected calibration error (ECE) on Cora and Photo datasets with five different GNNs, we find that the ECEs on Cora (10.25%-18.02%) are always larger than those on Photo (4.38%-8.27%), indicating that **the calibration performance depends more on the datasets instead of GNN model.**

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Can we modify the graph data instead for better calibration performance without losing accuracy?



(b) Data-centric calibration

- We propose Data-centric Graph Calibration (DCGC) with two edge weighting modules to adjust the input graph.

